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Title: Investigating traditional fluid instabilities in an HED regime

Author(s): Desjardins, Tiffany

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Investigating traditional fluid instabilities in an HED regime

Tiffany Desjardins

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Acknowledgements

Experimentalist:

- Kirk Flippo
- Elizabeth Merritt
- Sasi
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- Tiffany Desjardins

Designers

- Forrest Doss
- Carlos Di Stefano
- Barbara DeVolder
- Josh Sauppe

Target Fabrication

- Derek Schmidt
- Tom Day

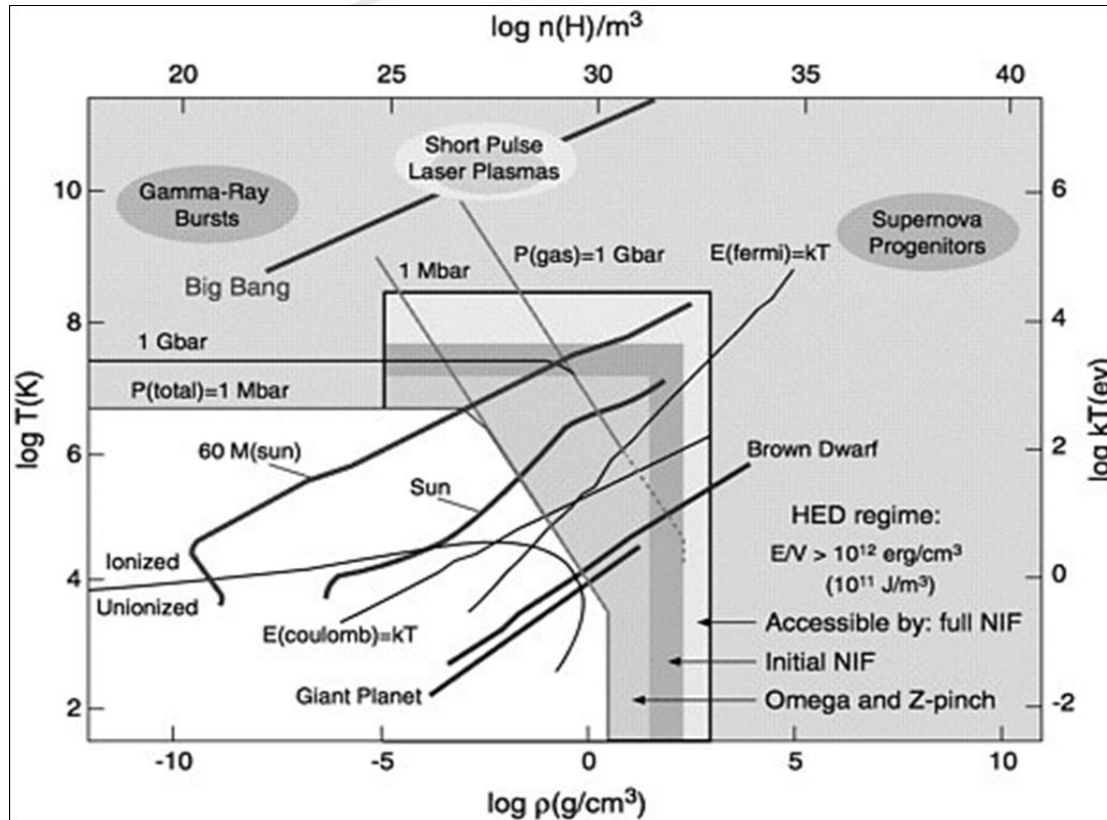
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Motivation

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High-energy-density systems are defined as systems having pressures above 1 Mbar or energy densities above 100 GJ/m^3

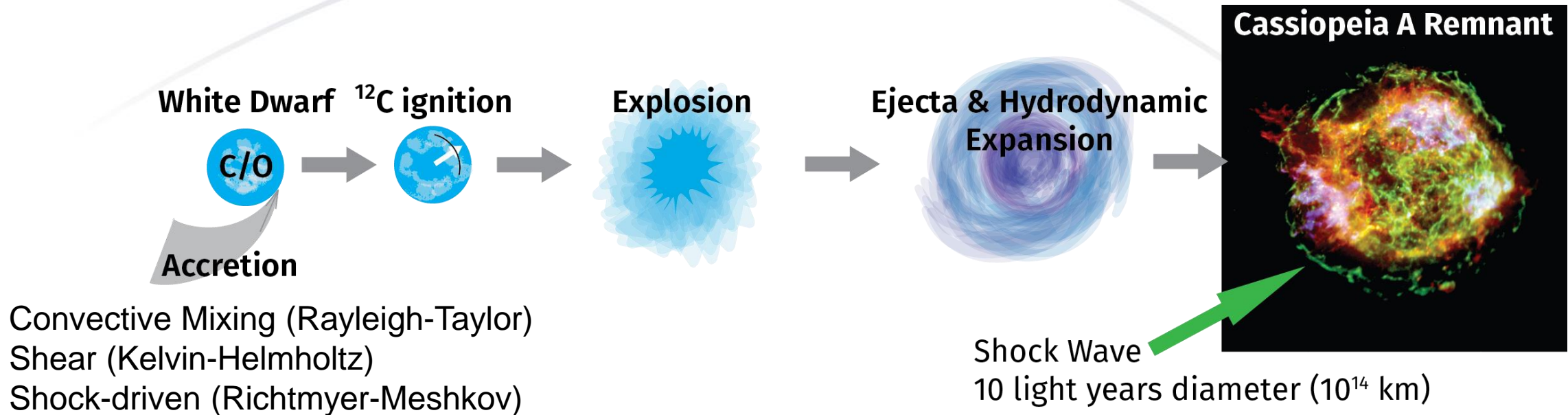
HED systems are characterized by large pressure, which can mean high temperature, high density or both



R.P. Drake, *High-Energy-Density Physics*

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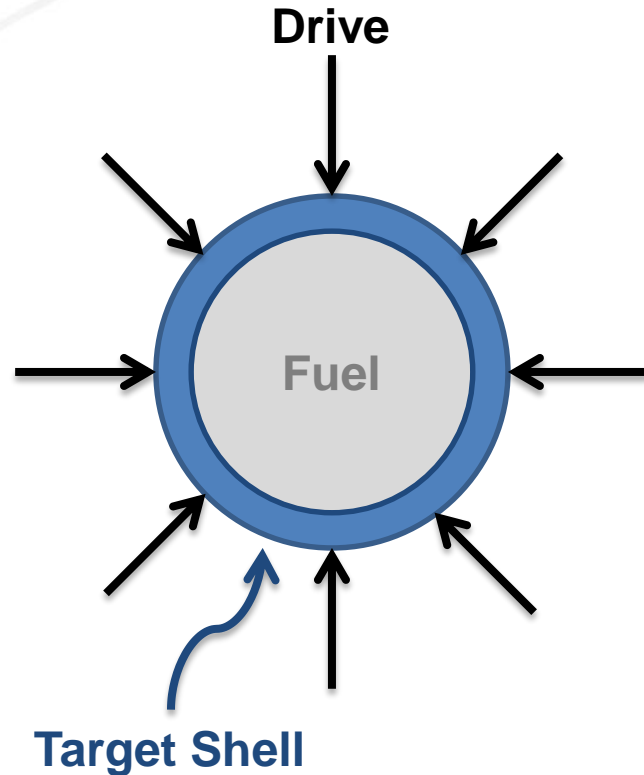
Type Ia supernovae are “standard candles” that help determine the age of the universe



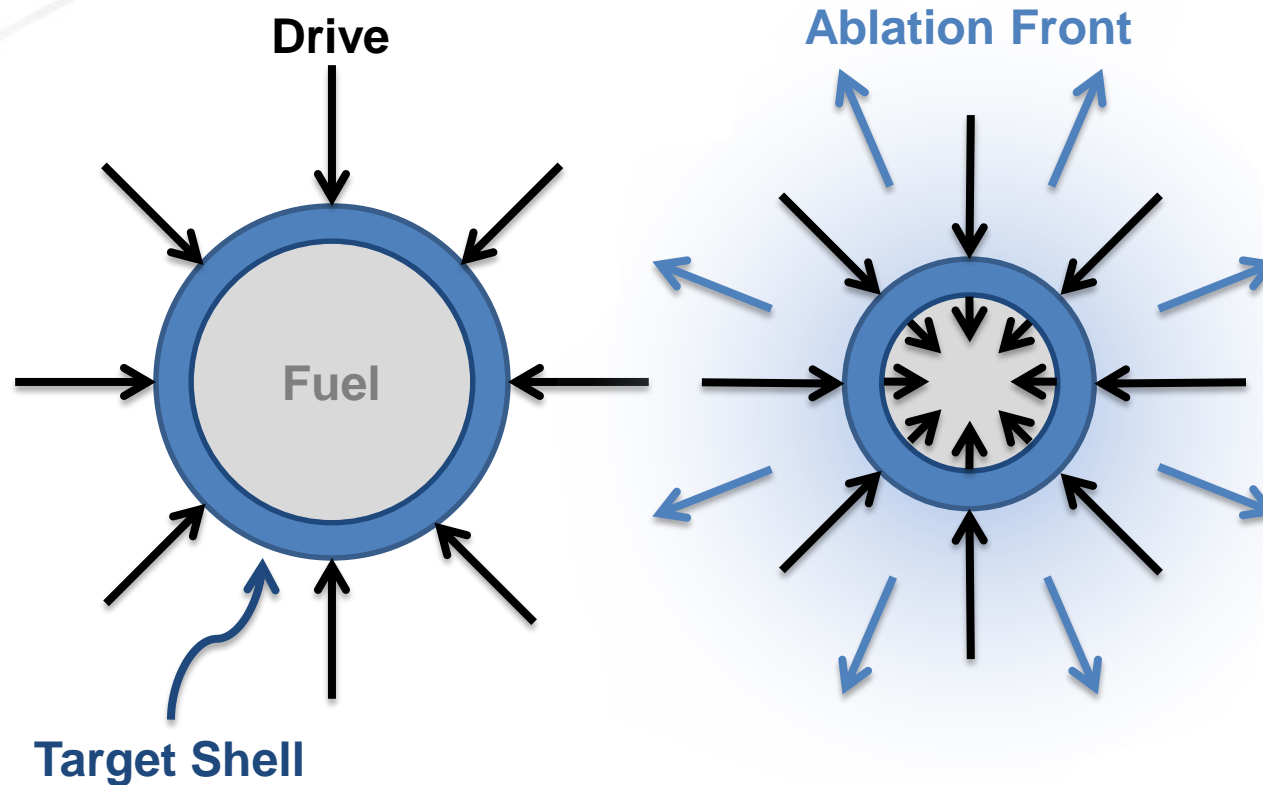
- Instabilities are important in:
- Pre-ignition conditions
 - Triggering ignition
 - Final chemical structure

Image from NASA's Chandra
X-Ray Observatory
chandra.harvard.edu

Inertial Confinement Fusion (ICF) seeks to use high power lasers to generate fusion by compressing DT fuel



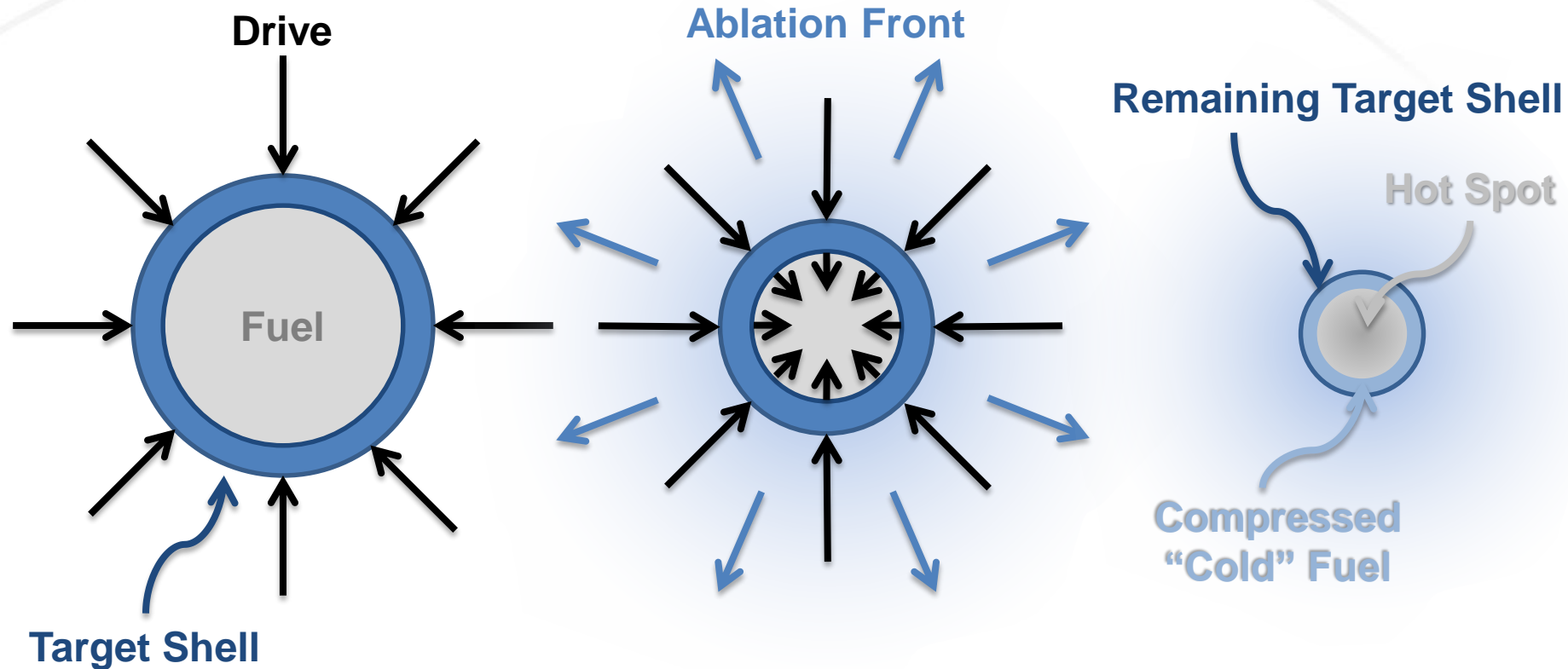
Inertial Confinement Fusion (ICF) seeks to use high power lasers to generate fusion by compressing DT fuel



Slide courtesy of
Elizabeth Merritt

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Inertial Confinement Fusion (ICF) seeks to use high power lasers to generate fusion by compressing DT fuel



This is ideally how the process should work, but...

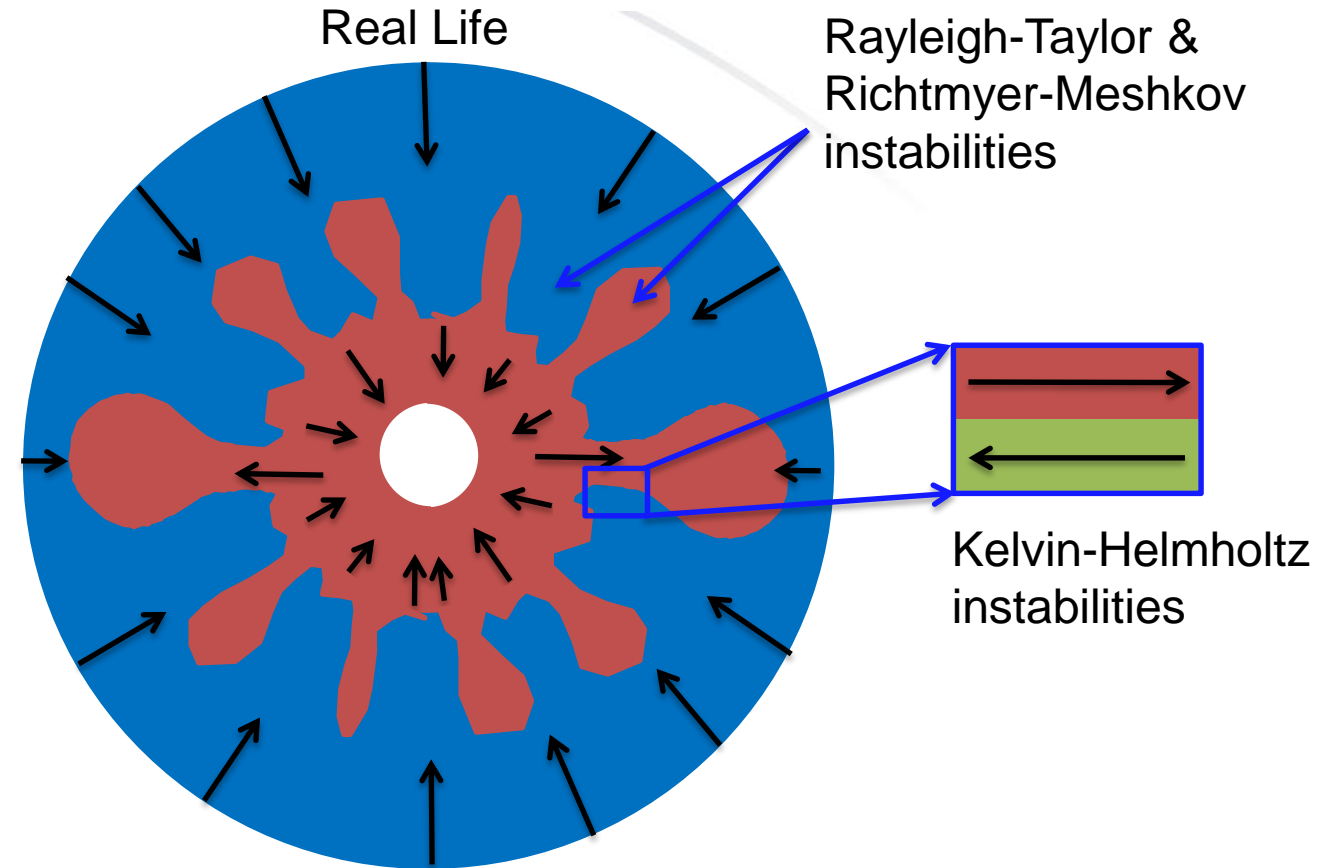
Slide courtesy of
Elizabeth Merritt

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ICF capsules are prone to instabilities at interfaces

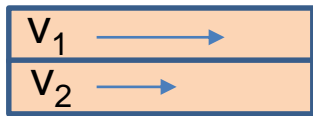
- Different target layer densities
 - Rayleigh-Taylor
- Strong Shear flows
 - Kelvin-Helmholtz
- Multiple shocks
 - Richtmyer-Meshkov

Instabilities can mix ablator material into the fuel and degrade and/or prevent ignition

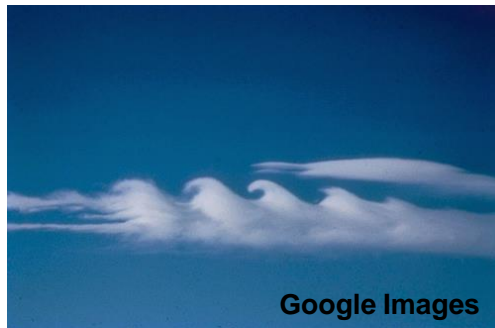


Kelvin-Helmholtz (KH), Rayleigh-Taylor (RT), and Richtmyer-Meshkov (RM)

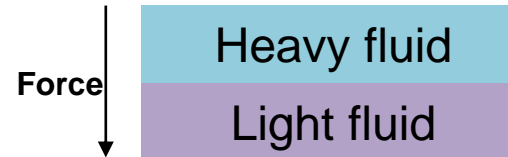
Kelvin-Helmholtz



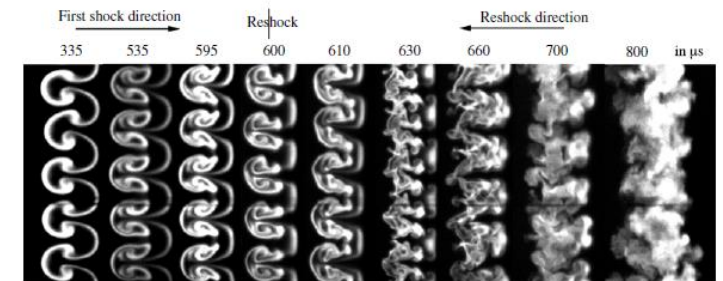
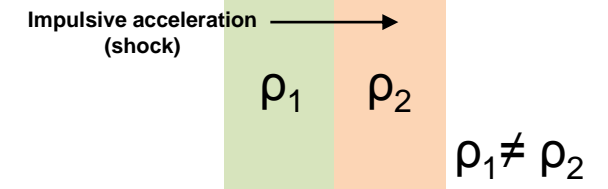
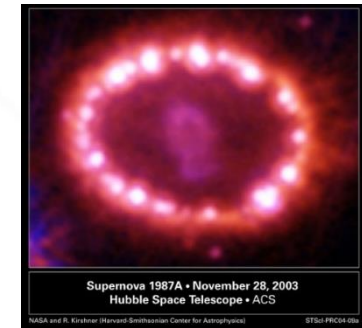
$$V_1 \neq V_2$$



Rayleigh-Taylor



Richtmyer-Meshkov

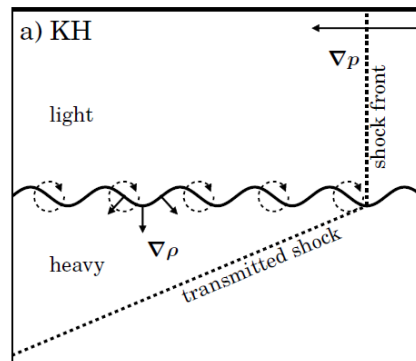
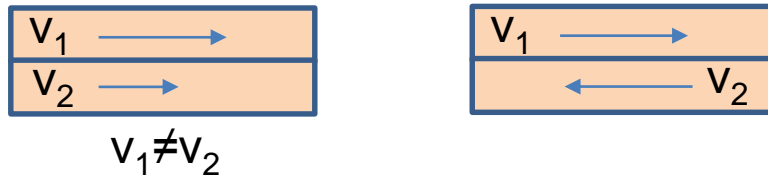


Tomkins, C. D., et al. J. Fluid Mech. (2013) 735

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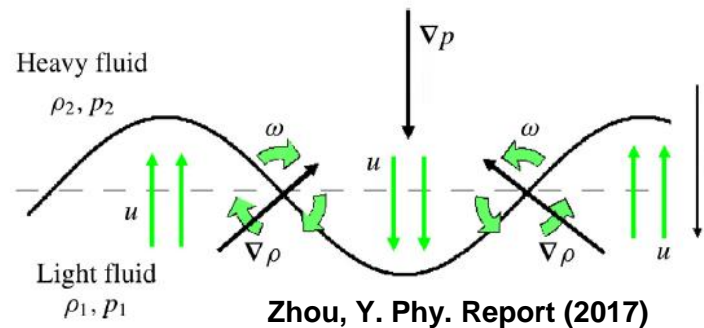
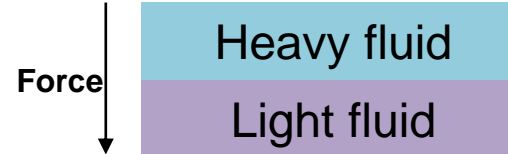
Kelvin-Helmholtz (KH), Rayleigh-Taylor (RT), and Richtmyer-Meshkov (RM)

Kelvin-Helmholtz



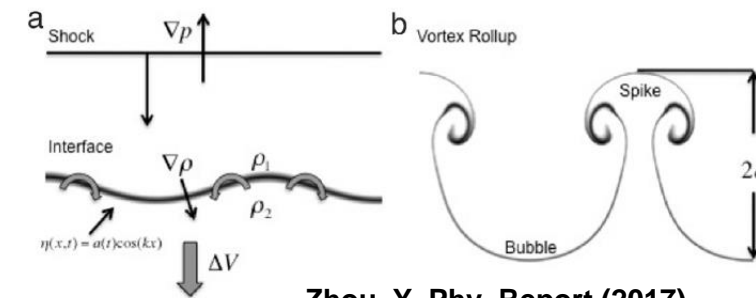
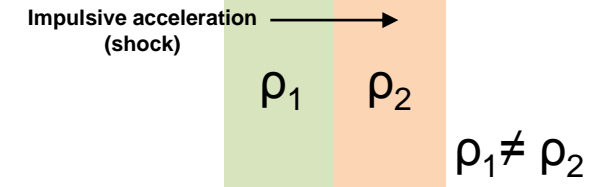
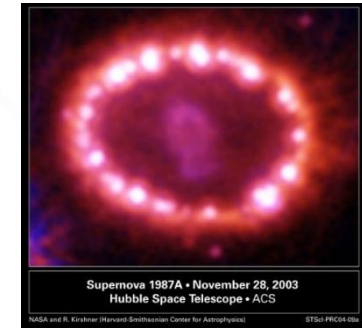
Rasmus, A. M. et al., PoP, accepted

Rayleigh-Taylor



Zhou, Y. Phy. Report (2017)

Richtmyer-Meshkov



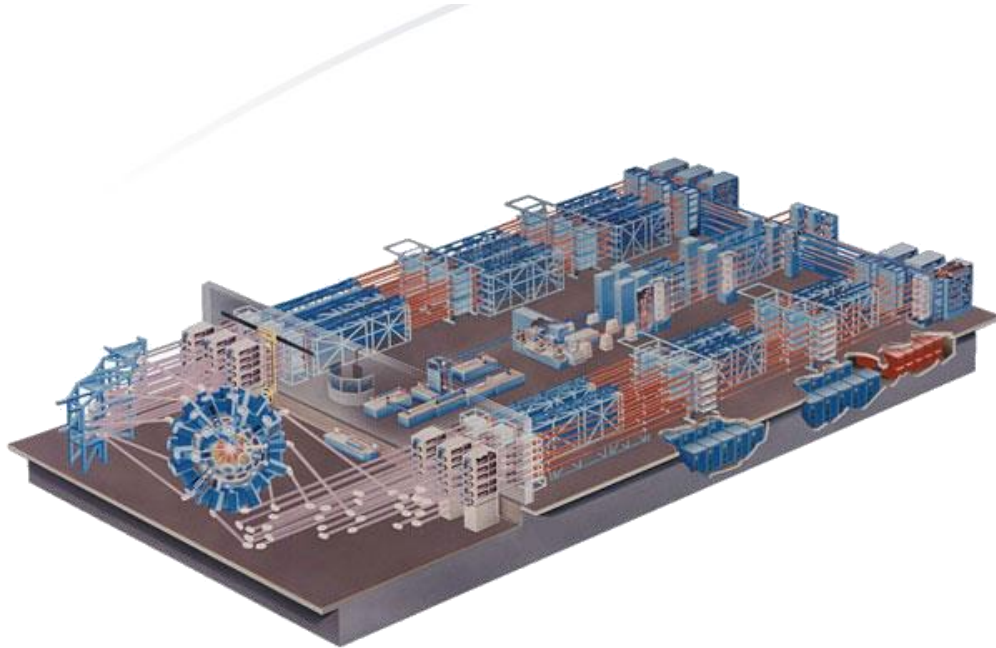
Zhou, Y. Phy. Report (2017)

Each of these instabilities is caused by the deposition of baroclinic vorticity

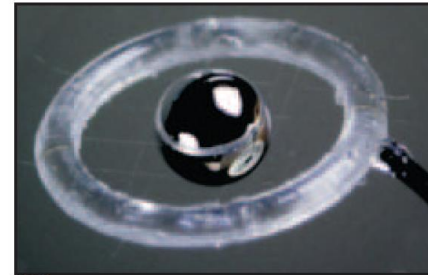
Laser Facilities and Diagnostic Capabilities

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OMEGA 60 has sixty beams to explore HED and direct-drive ICF implosions



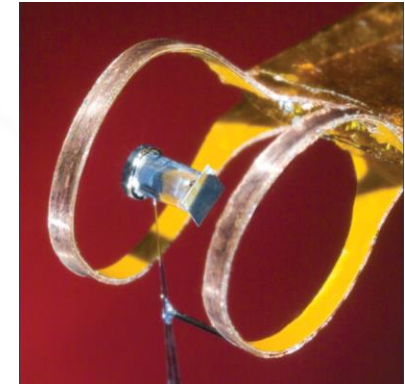
www.lle.rochester.edu/



TC6659

Figure 102.16
A Saturn target shot on OMEGA. Using eight strands of spider silk, a standard 865- μm -diam capsule is mounted on a CH ring of major radius 1100 μm and minor radius 150 μm .

LLE Review 102

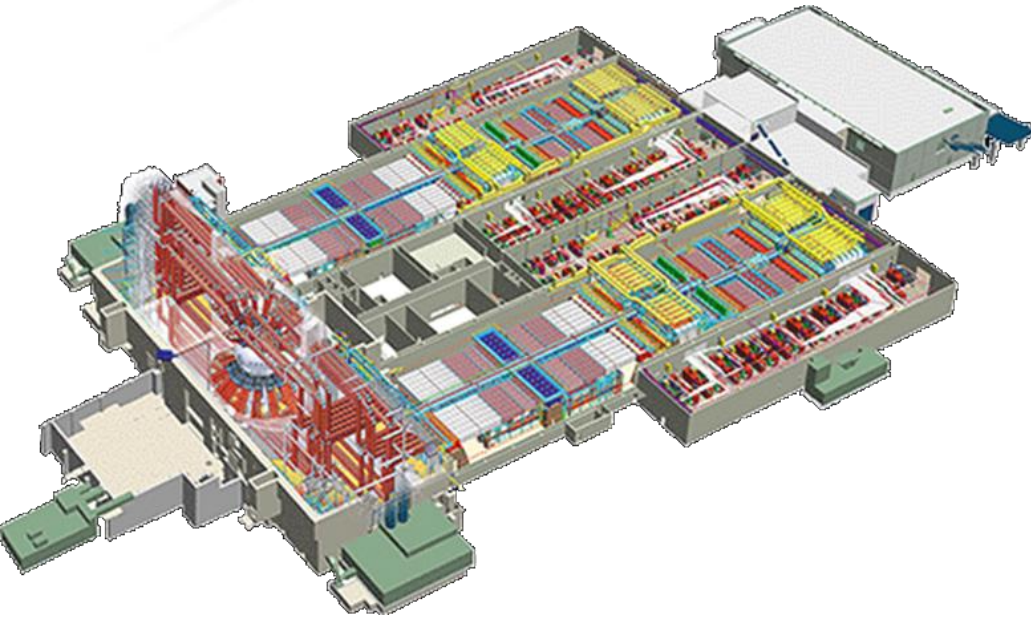


LLE Review 110



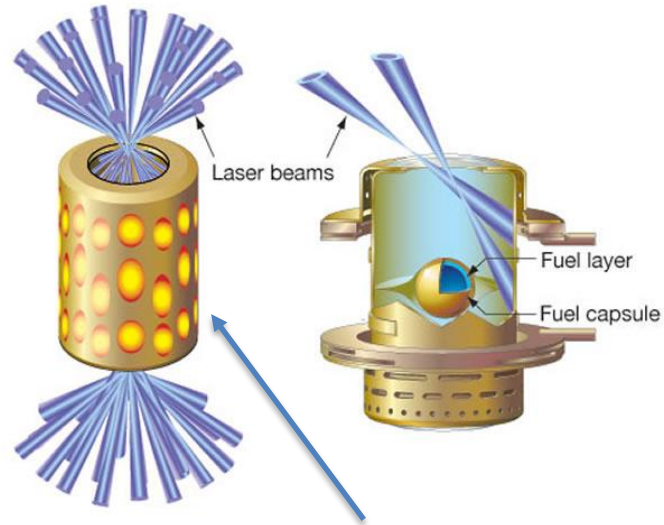
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The National Ignition Facility uses 192 beams (2MJ) to compress millimeter size targets



<https://lasers.llnl.gov/about/what-is-nif>

192 Lasers: 500 trillion watts in 20 ns



deuterium (H with 1 neutron)
+ tritium (H with 2 neutrons)



Fuel capsule



LLNL Sci&Tech Review (1999)

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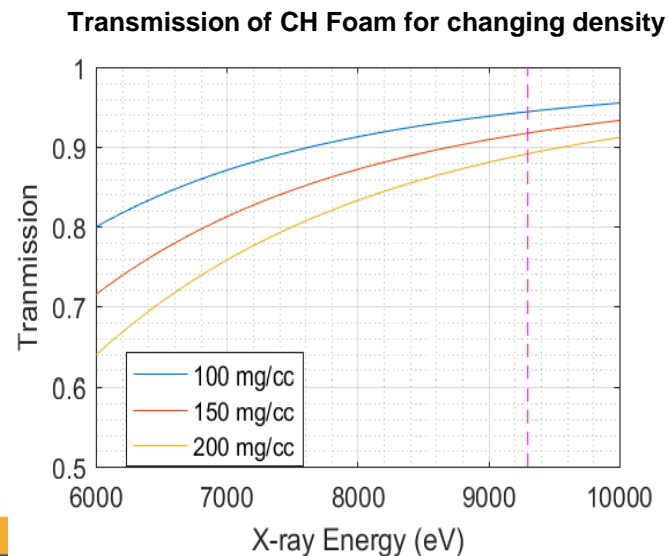
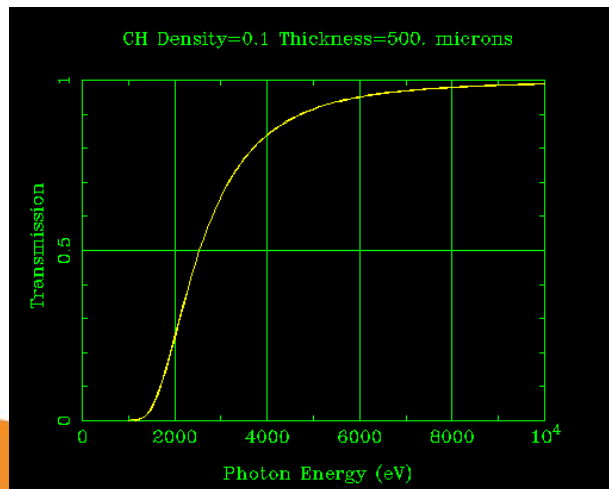
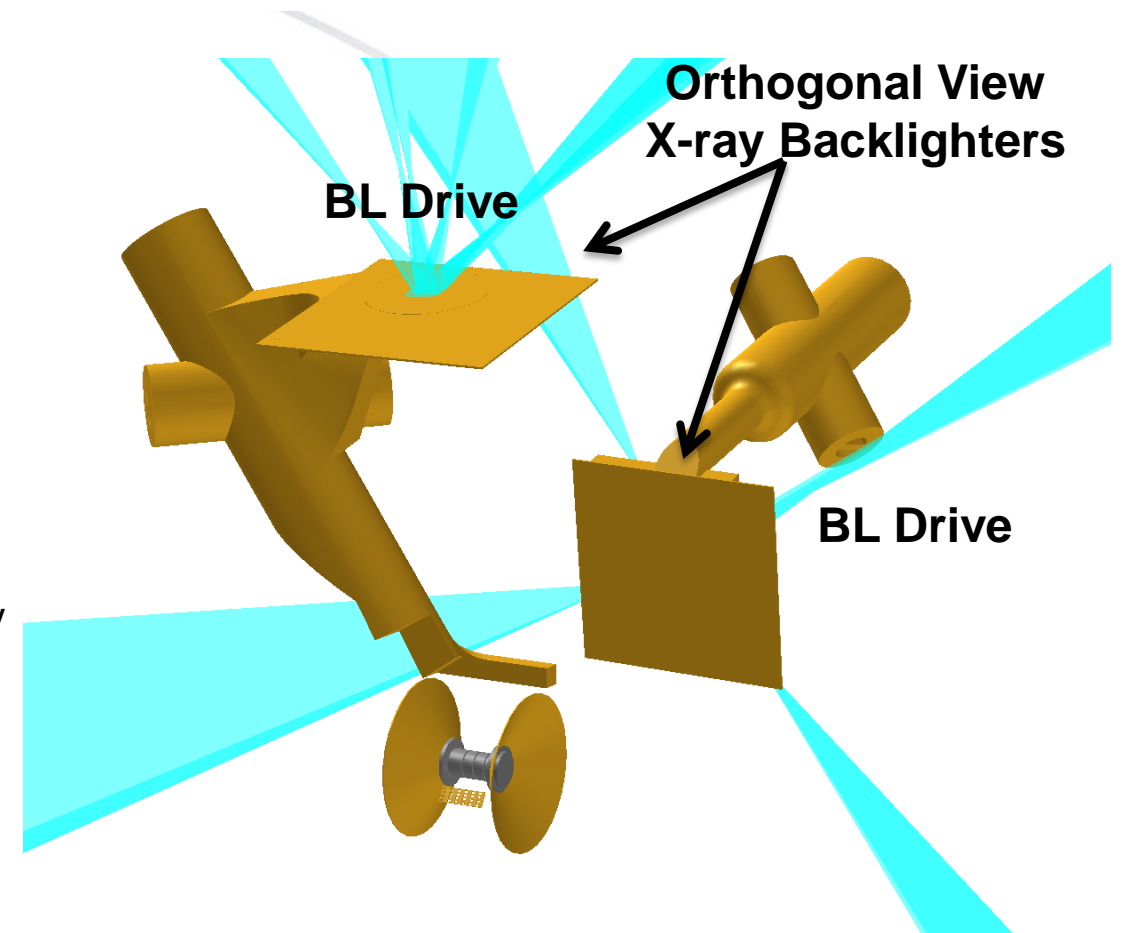
The main diagnostic for HED experiments is X-ray radiography

- Transmission of materials is well documented:
http://xdb.lbl.gov/Section1/Sec_1-8.html
- Transmission of x-rays through a slab is described as:

$$T = e^{-n \mu_a d}$$

μ_a =photoabsorption cross-section
 n =number of atoms per unit volume
 d =thickness of slab

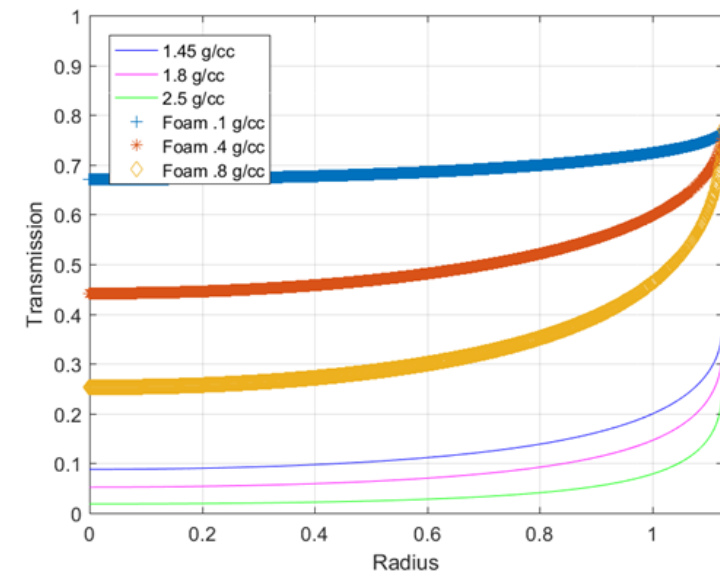
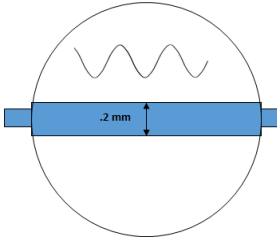
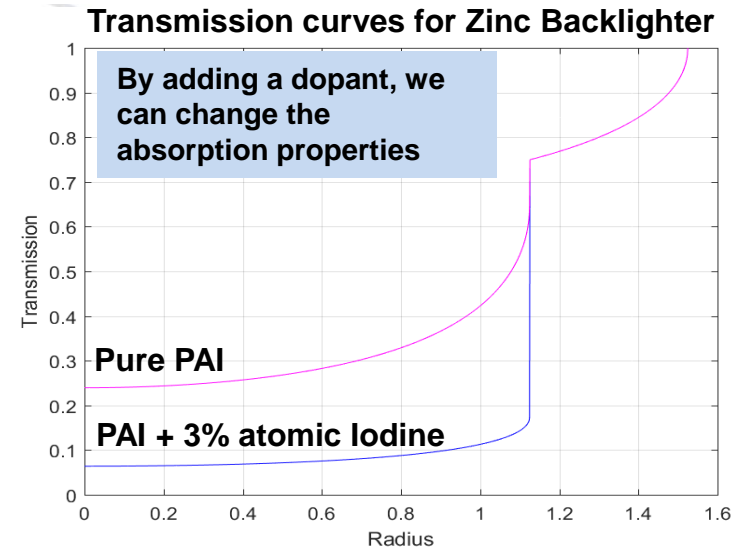
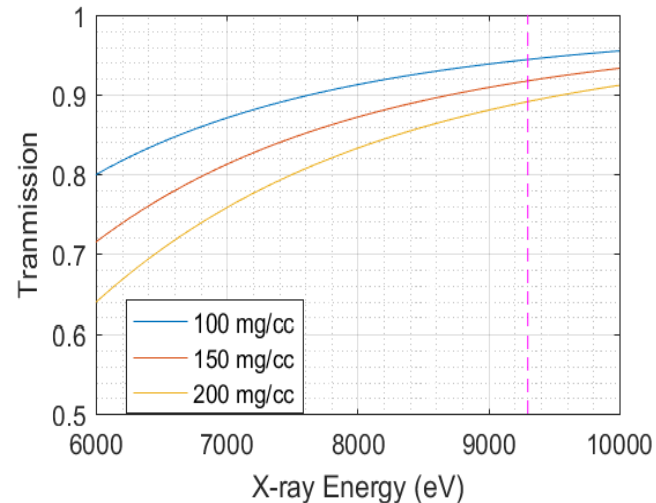
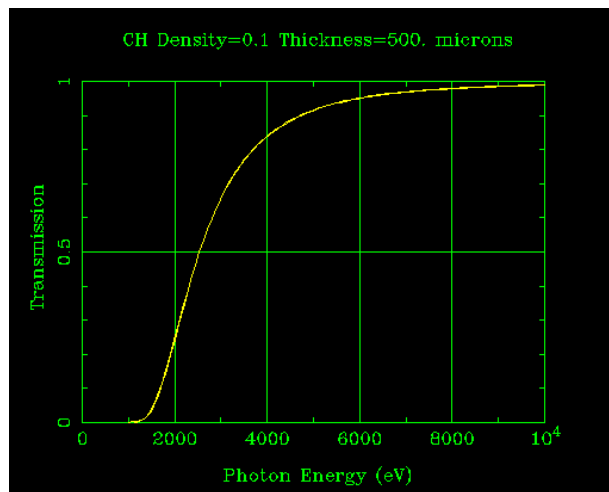
- Henke curves provide source of estimating absorption
http://henke.lbl.gov/optical_constants/



FIED

The main diagnostic for HED experiments is X-ray radiography

- Every material:
 - generates x-rays in a different regime
 - absorbs x-rays only in certain energy ranges
- Henke curves provide source of estimating absorption
http://henke.lbl.gov/optical_constants/

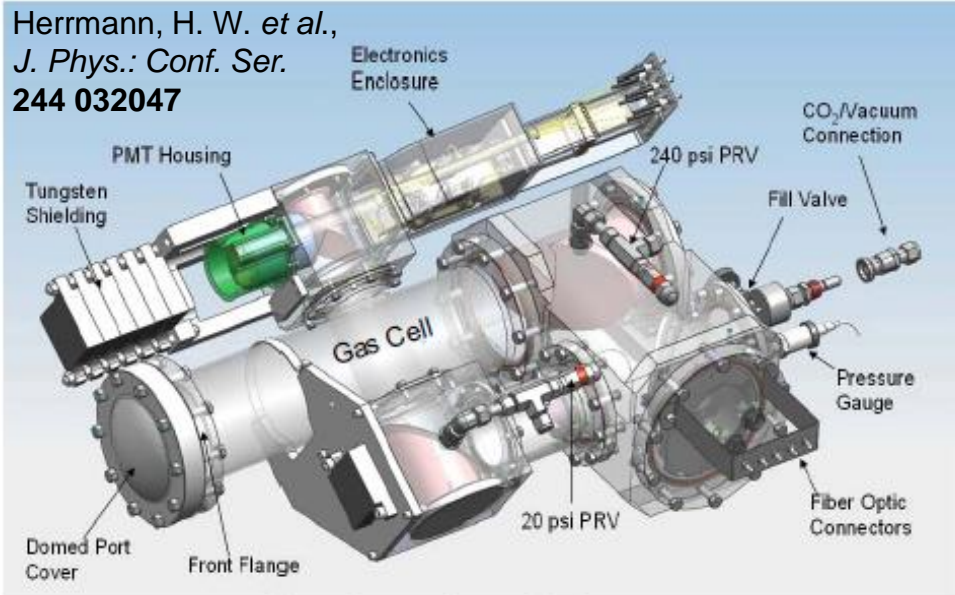


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ICF capsules also measure spectra, gamma rays and neutrons

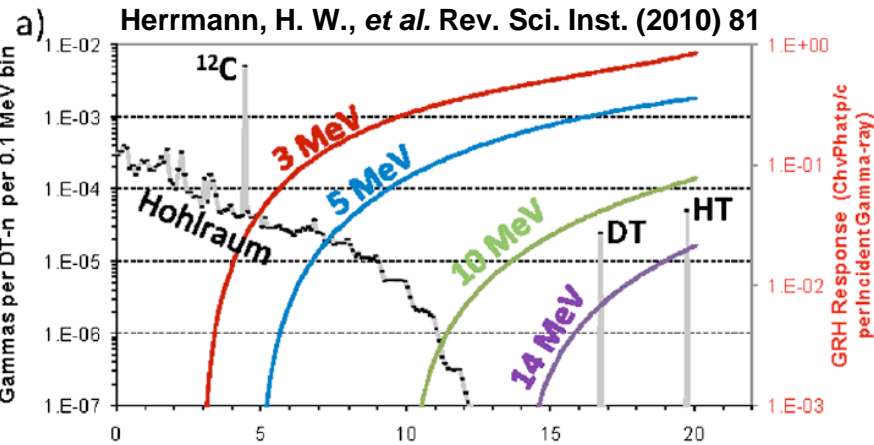
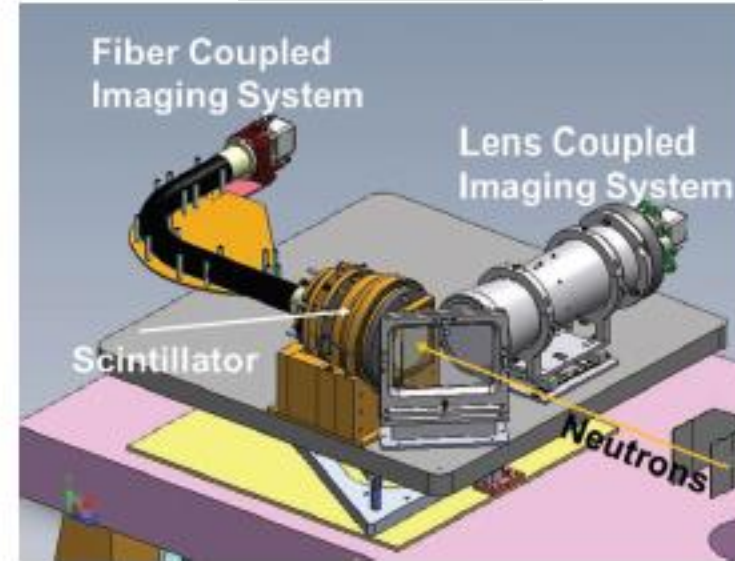
Gamma Ray Detector and sample signal

Herrmann, H. W. *et al.*,
J. Phys.: Conf. Ser.
244 032047

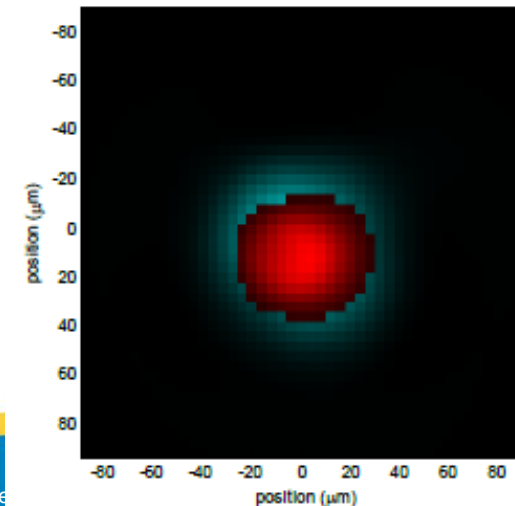


Neutron Detector

Merrill, F. E., *et al.*
Rev. Sci. Instr. (2012)
83



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F E Merrill *et al* 2016 *J. Phys.: Conf. Ser.* **688**
012064

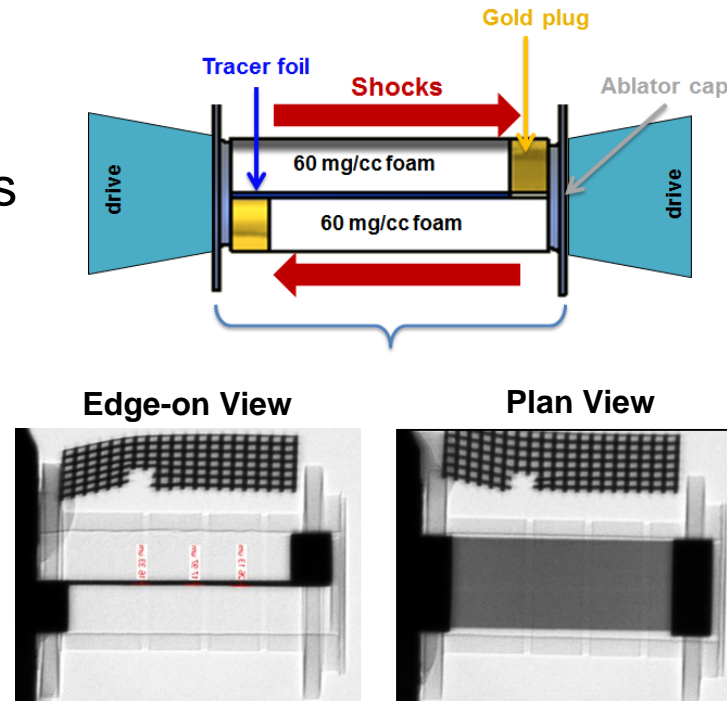
Experiments

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The *Shear* experiment studied counter-propagating shocks to generate the KH instability

OMEGA Experiments

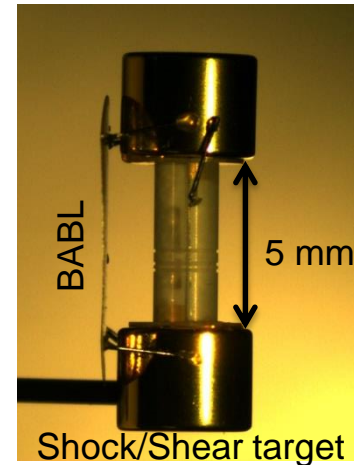
- Drive Energy = 8 kJ
- Experiment duration = 16 ns
- 2 Mbar post-shock pressures
- 70 $\mu\text{m}/\text{ns}$ (km/s) flow speeds
- $T = 40$ eV



NIF Experiments

Same basic design but

- 3x longer, 3x wider
- 600 kJ drive
- Larger volume
 - decreased edge effects
- Longer drive
 - Transients moved later in time
 - Extended experiment duration
 - Closer to turbulent regime



The NIF platform is cleaner and better for turbulence experiments, but the OMEGA platform is better for development

The classical shear layer is characterized by periodic structures in both streamwise and spanwise directions

2

R. Breidenthal

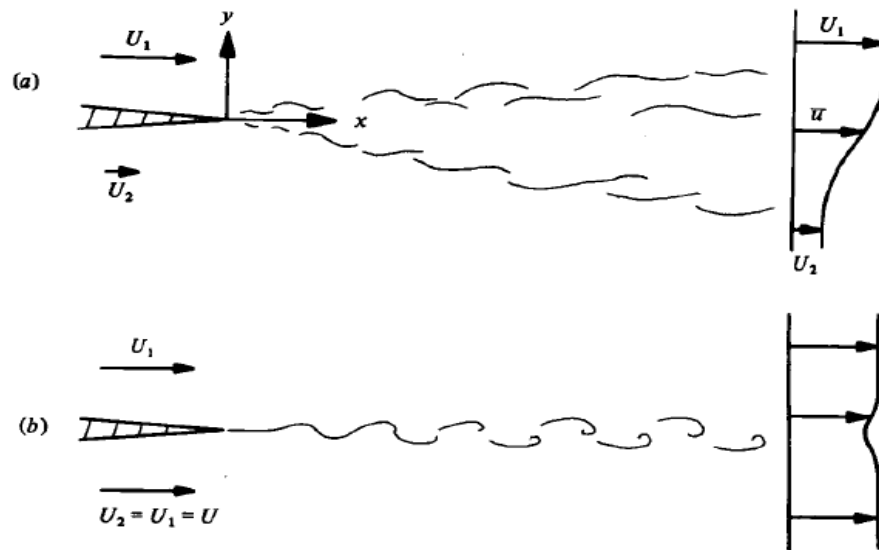
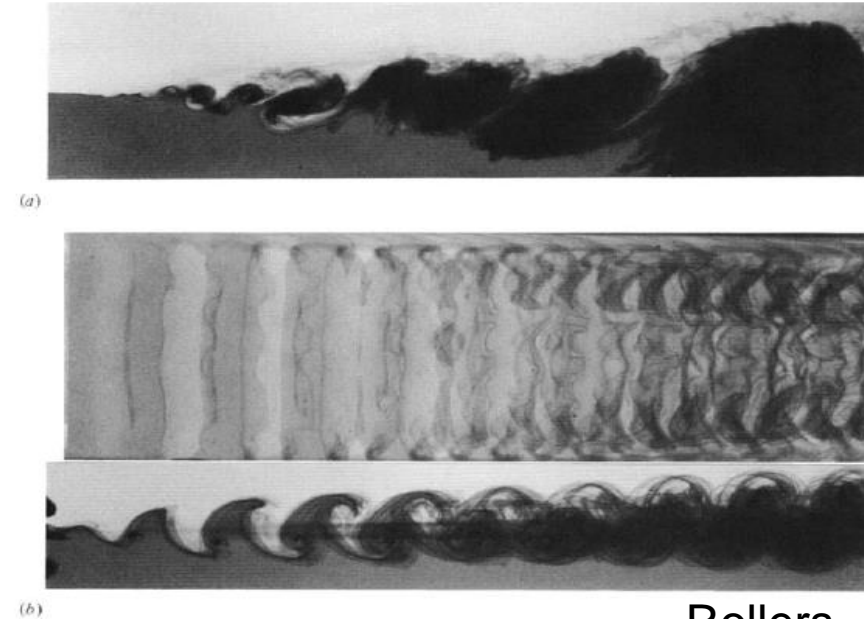


FIGURE 1. (a) Plane mixing layer. (b) Plane wake, thin trailing edge.



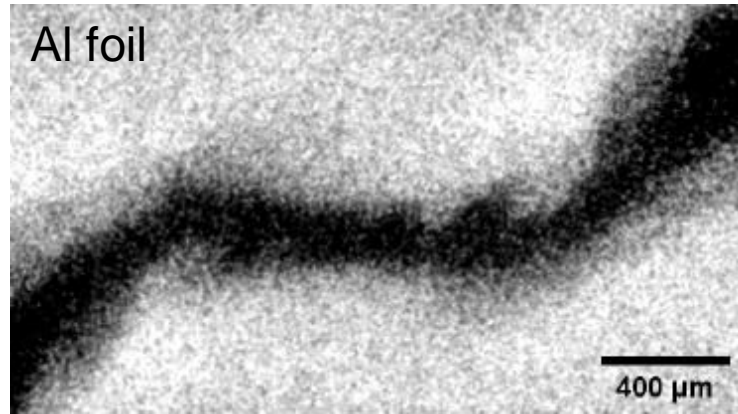
Rollers

R. Breidenthal, "Structure in turbulent mixing layers and wakes using a chemical reaction," Journal of Fluid Mechanics **109**, 1 (1981).

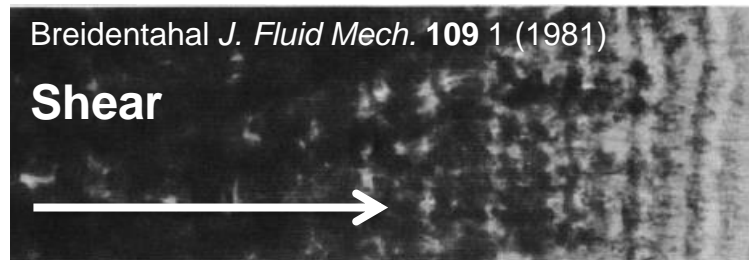
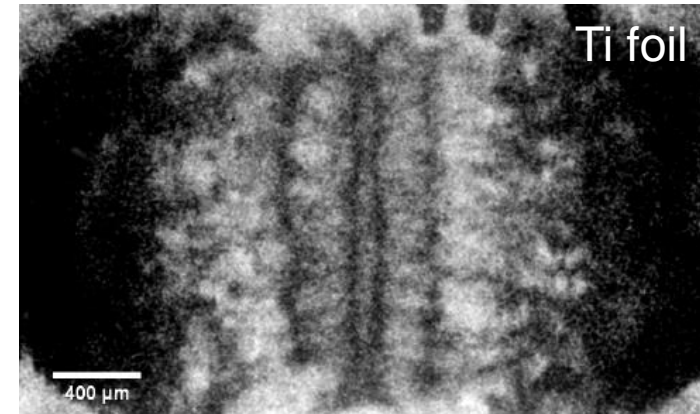
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NIF Shear experiments produced the first observations of emergent coherent rollers associated with KH mixing in the HED regime

Edge View: N141016, 34.5 ns



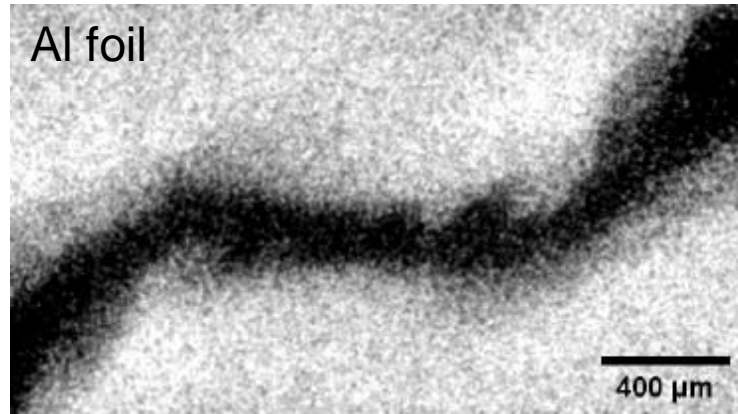
Plan View: N150604, 34.5 ns



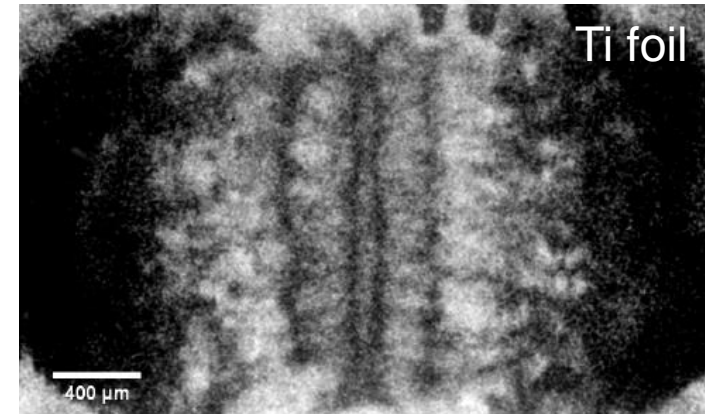
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NIF Shear experiments produced the first observations of emergent coherent rollers associated with KH mixing in the HED regime

Edge View: N141016, 34.5 ns

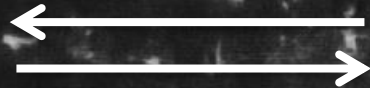


Plan View: N150604, 34.5 ns



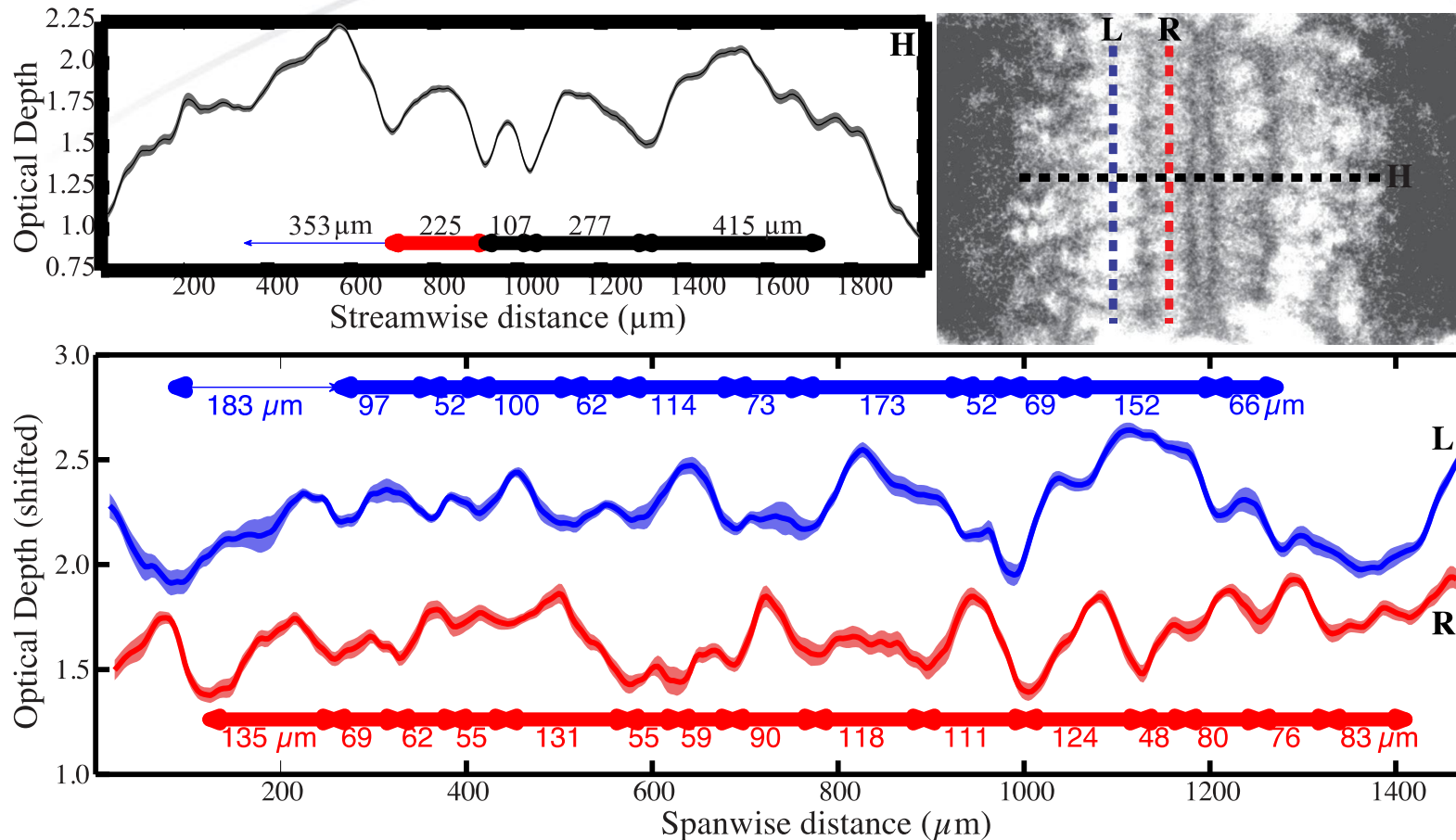
Breidenthal *J. Fluid Mech.* **109** 1 (1981)

Counter-shear



Experiments allow us to relate large structure periodicity to the large body of work on planar mixing layer phenomenology and obtain kinetic energy measurements otherwise unobtainable in the HED environment

Secondary shear instabilities are measurable and can yield information on the TKE

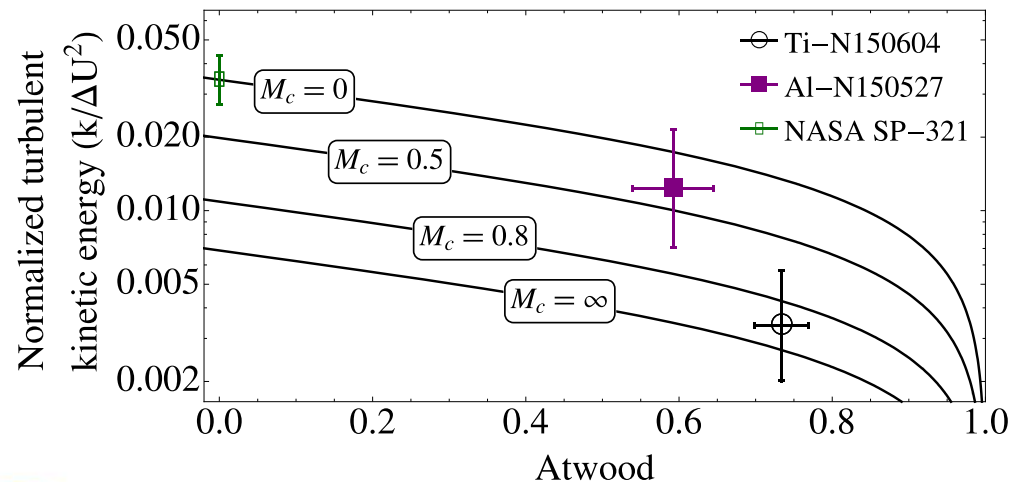
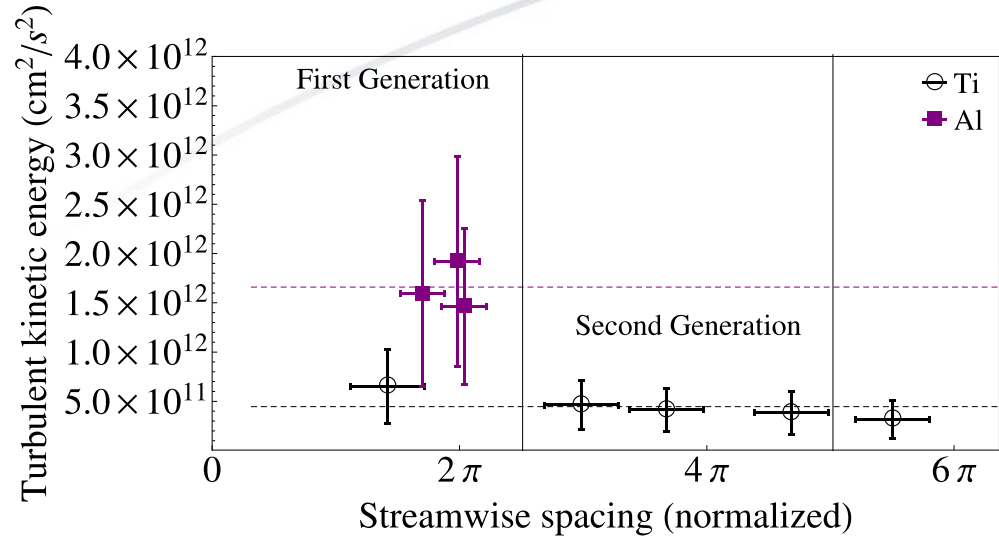


- Lineouts from titanium plan view (N150604) show structure both within and between the KH rollers.
- In ongoing research, higher-order structure in lineouts may inform additional variables.

Phys. Rev. E, **94**, 023101 (2016)

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The Merger Rate lets you pull out the Turbulent Kinetic Energy

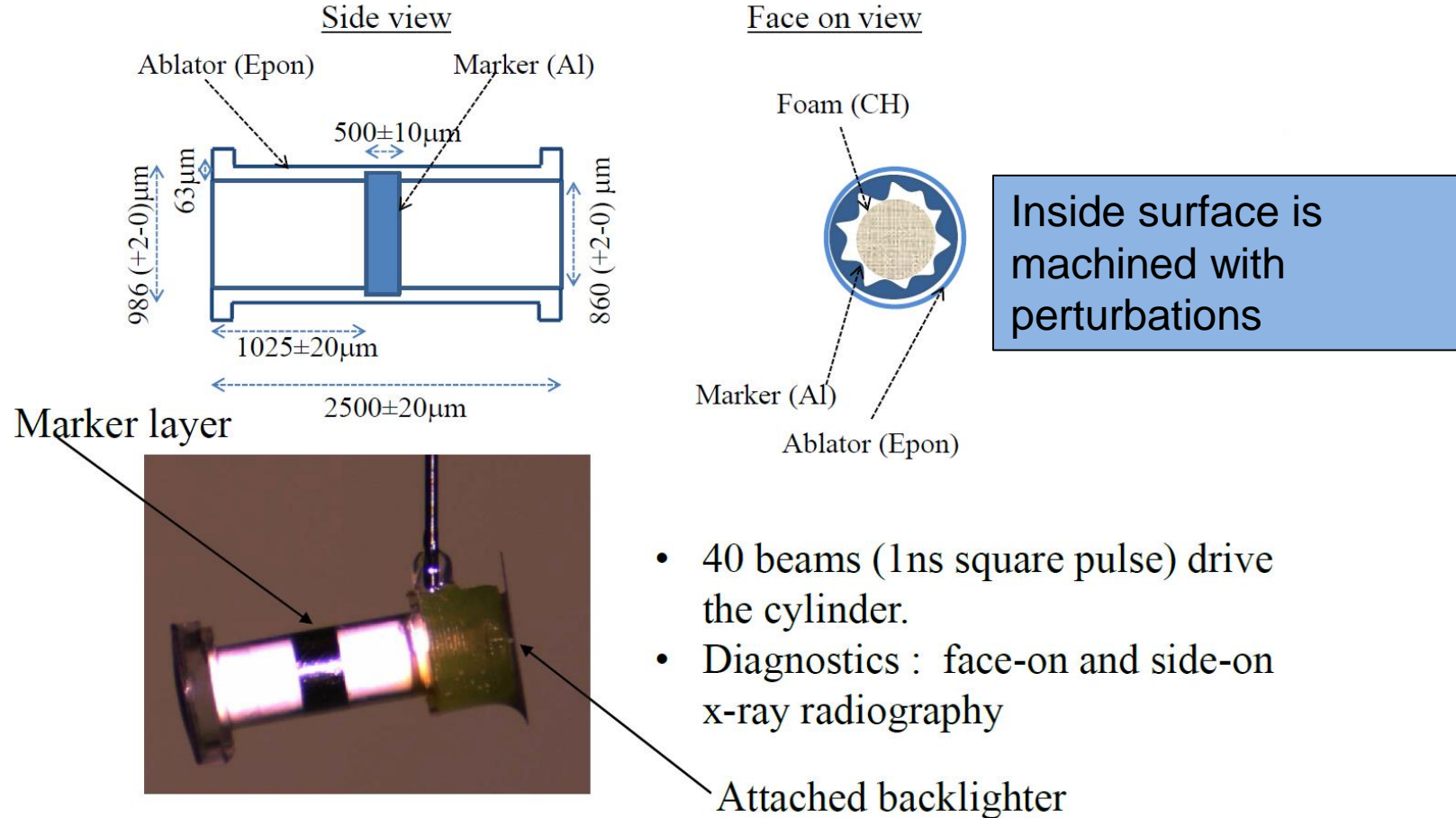


- Analysis of eight lineouts show consistent energy measurements in each shot.
- Inferred energies are broadly consistent with nondimensional scaling for supersonic, high-Atwood mixing layers.
- Titanium inferred to have lower energy conversion to mix than lower-density aluminum.
- Inferred energies assume all the core rotation (forcing mergers) is from TKE
- Other effects could be making this happen, plasma effects, self-generated fields, etc.

Phys. Rev. E, **94**, 023101 (2016)

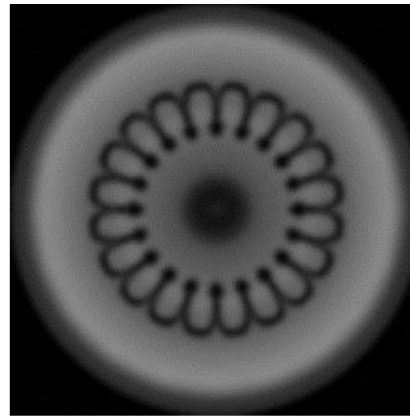
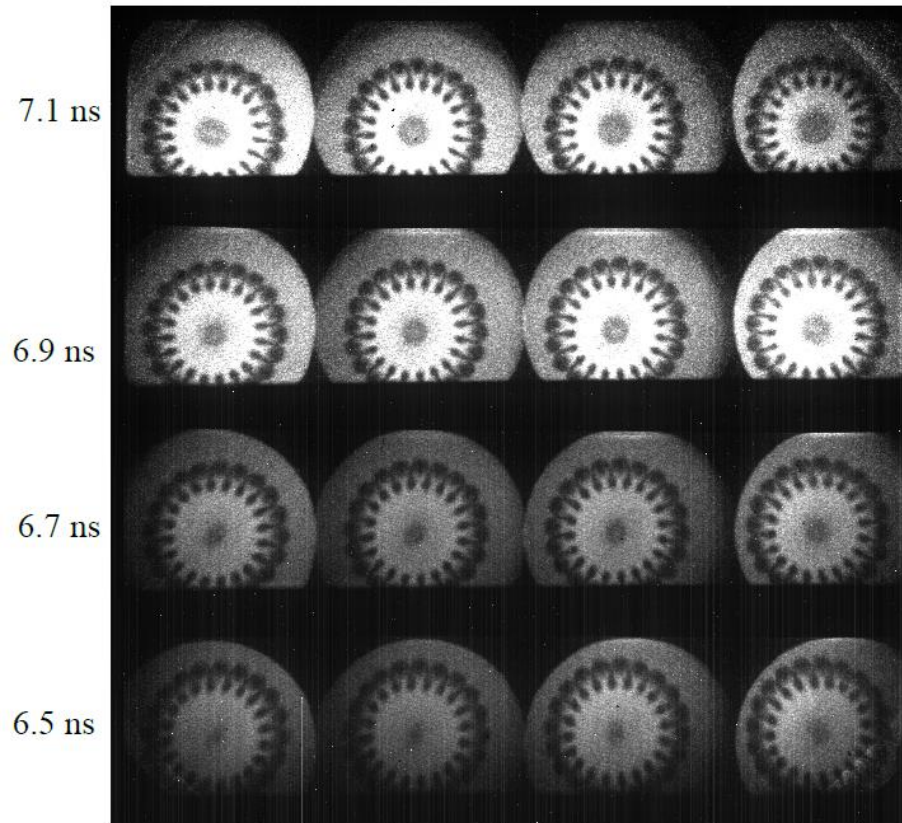
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CyIDRT is studying the deceleration phase of Rayleigh-Taylor instability

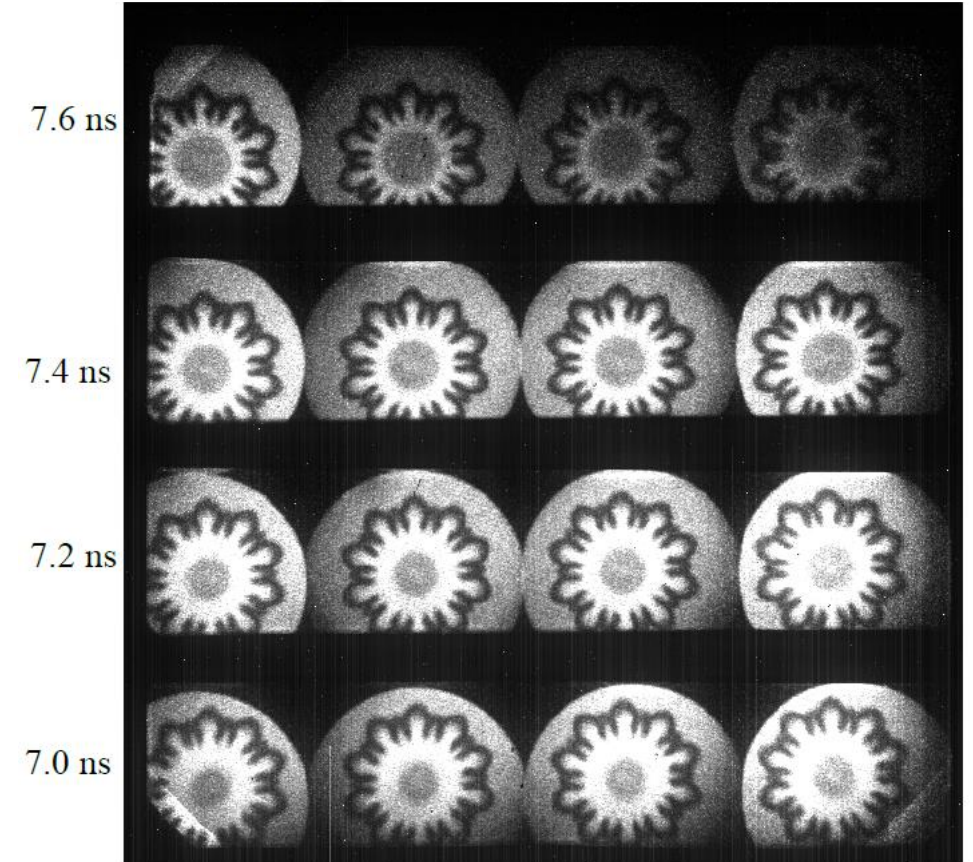
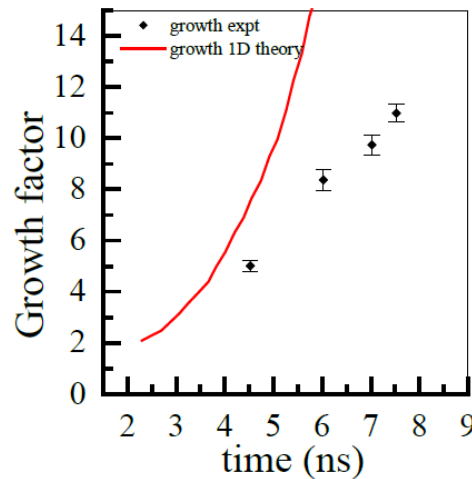


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CyIDRT is able to capture non-linear growth of late-time RT with single mode perturbations



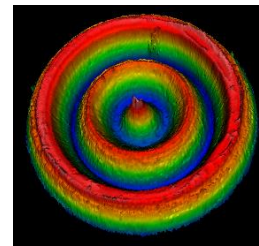
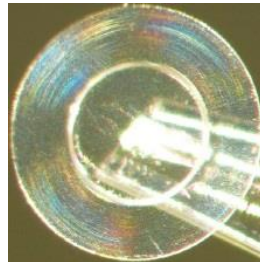
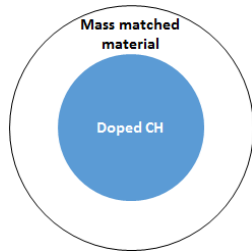
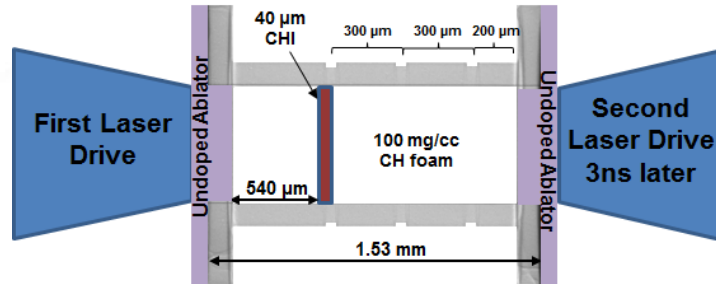
Synthetic Radiograph $t=7\text{ns}$



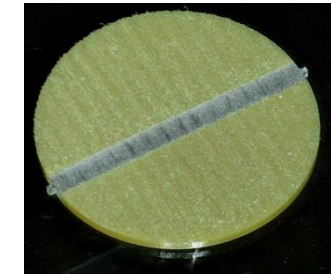
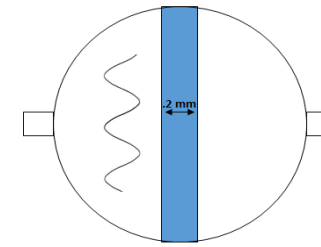
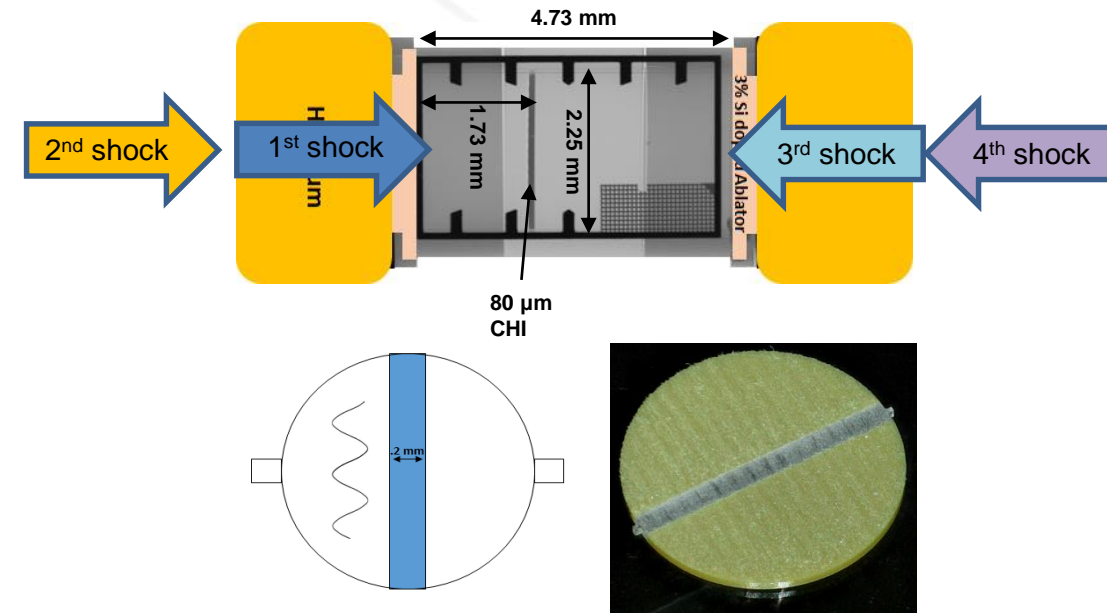
Future experiments will study the multi-mode perturbations

Mshock is studying the feedthrough of the Richtmyer-Meshkov instability in a thin layer

Typical OMEGA Setup
Experiment lasts ~16 ns



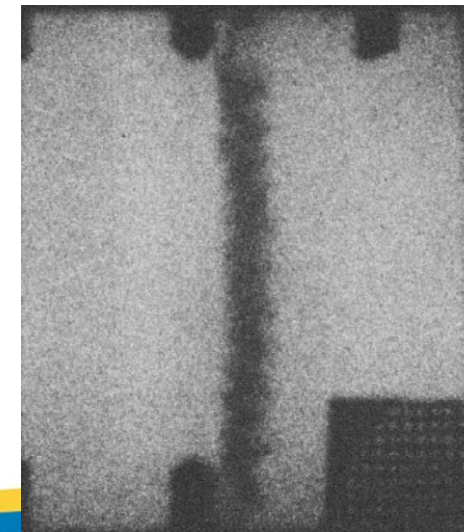
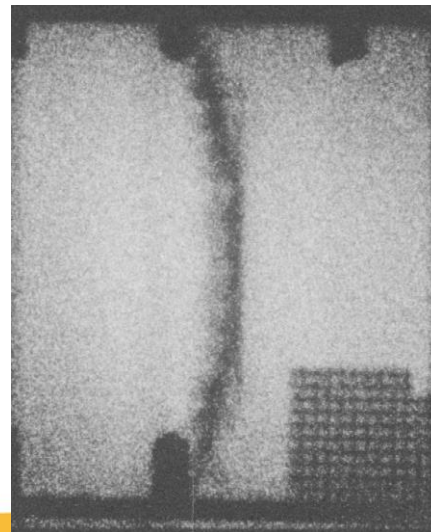
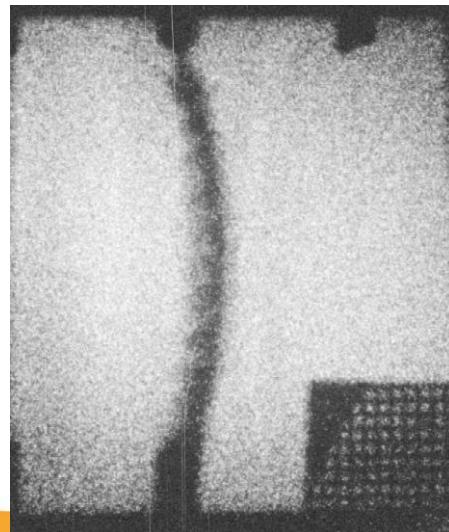
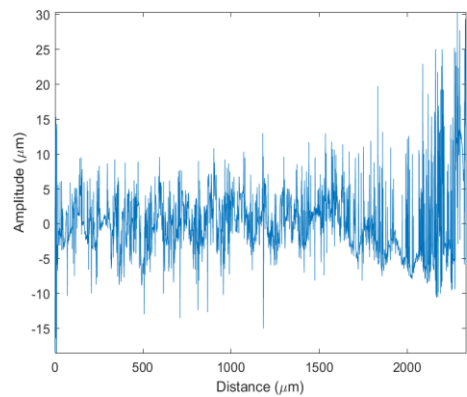
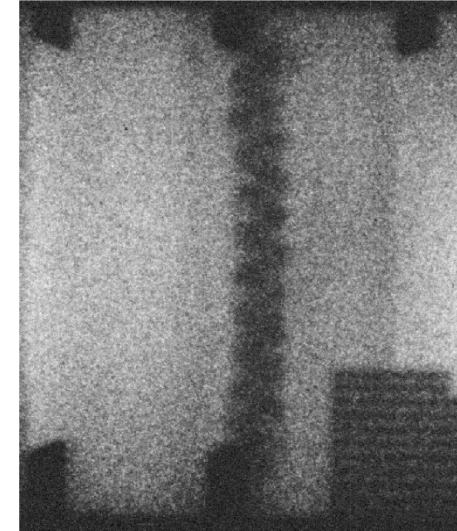
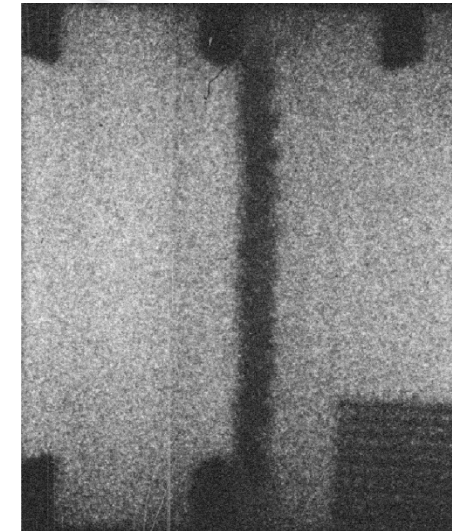
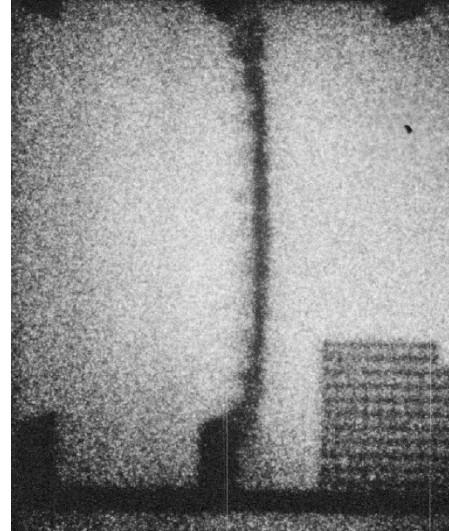
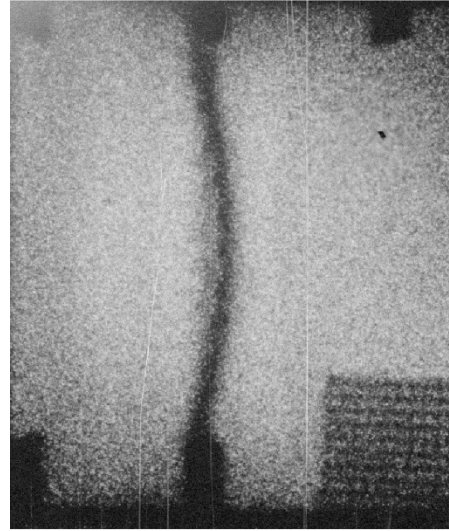
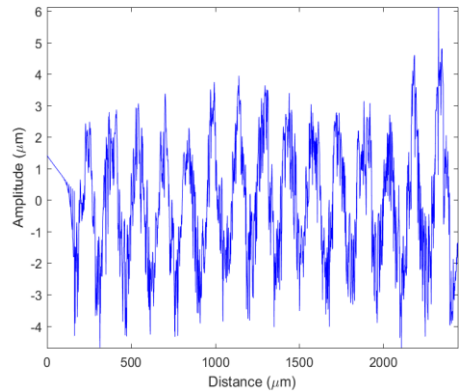
Current NIF Setup
Experiment lasts ~30 ns



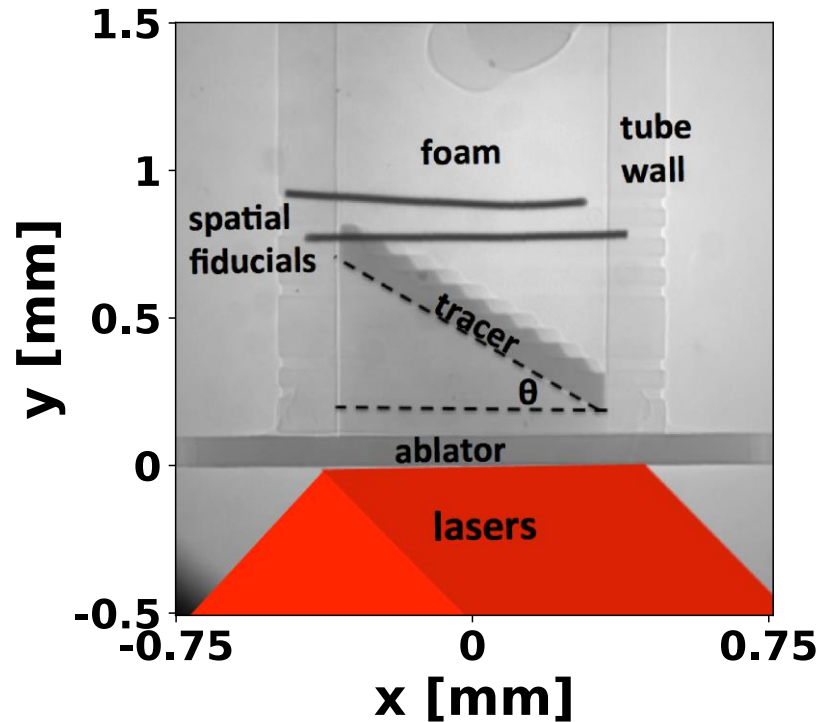
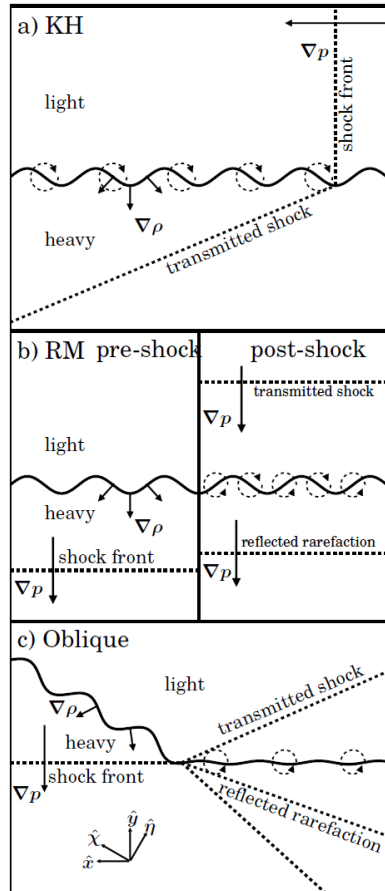
- To improve feature resolution we utilize doping profiles
- Surface are precision machined with surface profiles and perturbations

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NIF *Mshock* has shown different growth patterns with a change in initial conditions

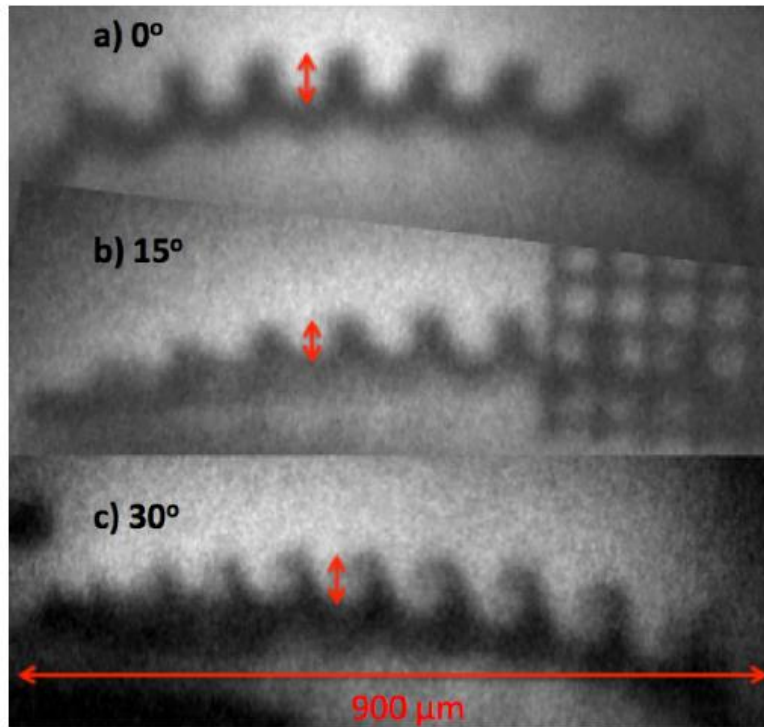


Oblique shock is studying the combination of RM and KH instability



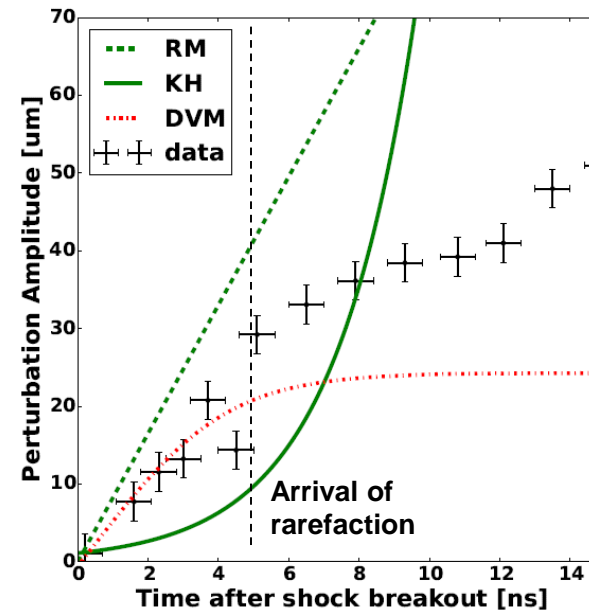
- Lasers irradiate a PAI layer (1.45 g/cc) at $1.4 \times 10^{14} \text{ W cm}^{-2}$
- A density matched CHI layer is provides contrast in x-ray radiographs
- CH foam (100 mg /cc) is the “light” material
- The physics takes place in a CH shock tube with 200 um thick walls.

Discrete vortex model is able to describe the growth dynamics at early times



$$\frac{dx}{dt} = \frac{\Gamma(\lambda)}{4\lambda} \frac{\sinh(\frac{2\pi y}{\lambda})}{\cos(\frac{\pi x}{\lambda})^2 + \sinh(\frac{\pi y}{\lambda})^2}$$

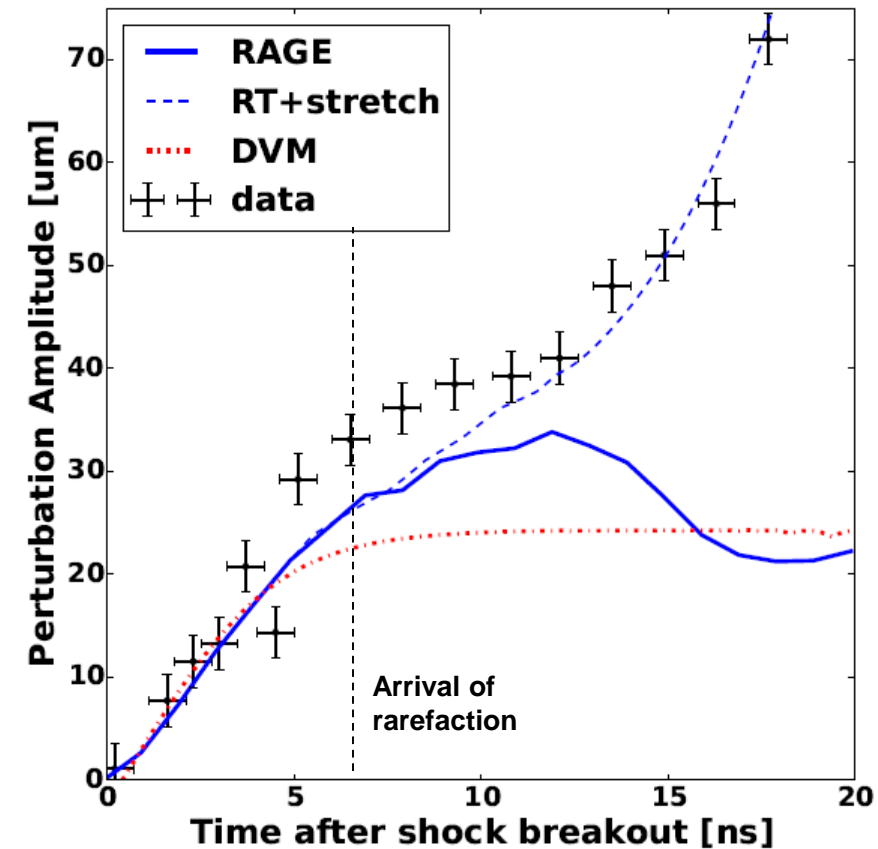
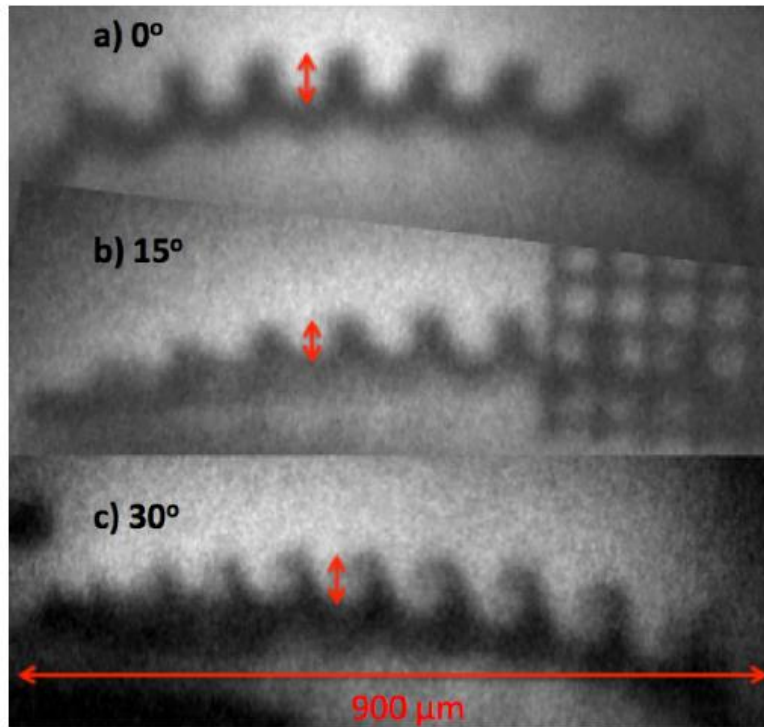
$$\frac{dy}{dt} = \frac{\Gamma(\lambda)}{4\lambda} \frac{\sin(\frac{2\pi x}{\lambda})}{\cos(\frac{\pi x}{\lambda})^2 + \sinh(\frac{\pi y}{\lambda})^2},$$



Rasmus, A. M. *et al.*, *PoP*, accepted

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Late time dynamics if dominated by de-acceleration of layer, driving RT instability



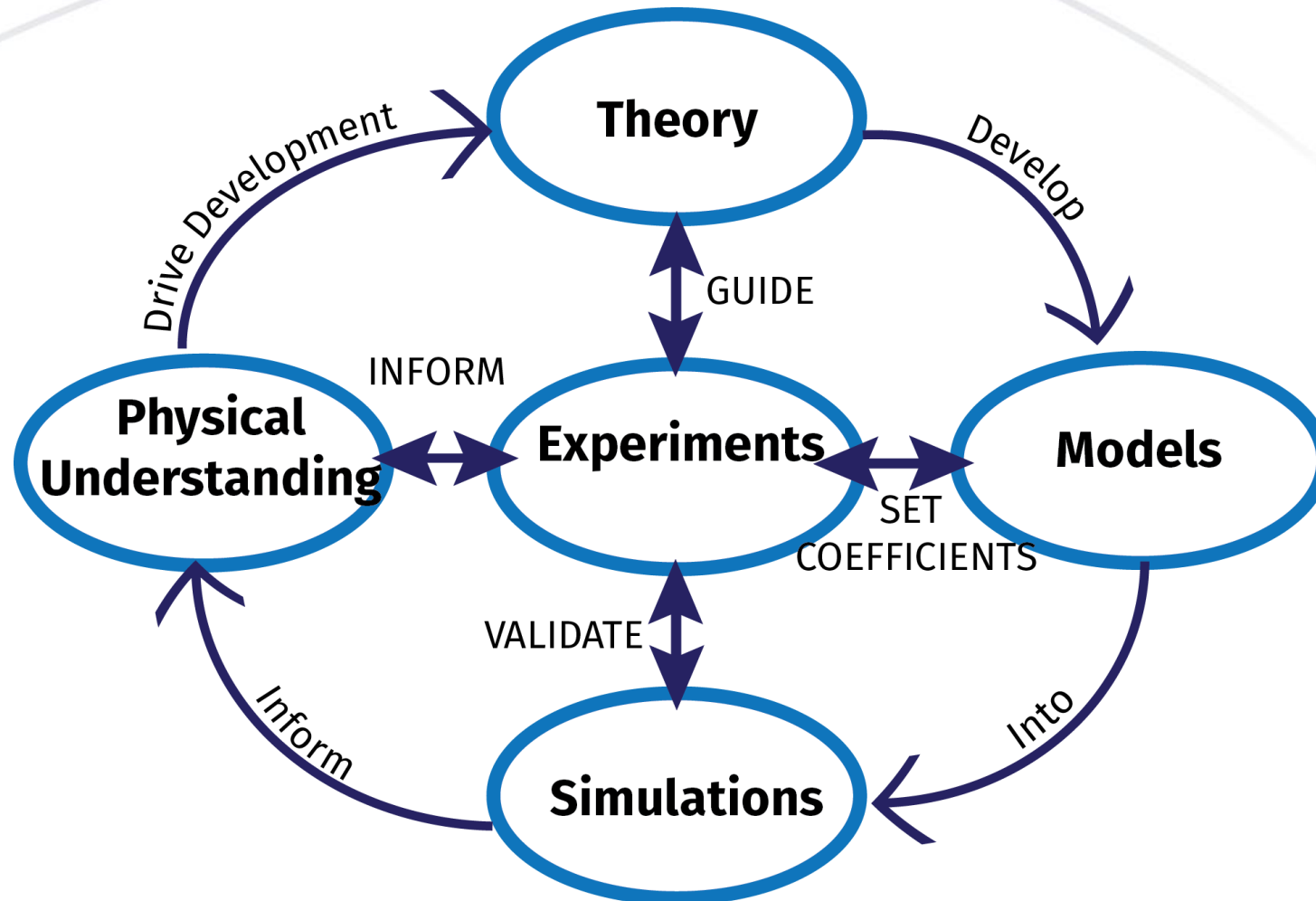
Rasmus, A. M. *et al.*, *PoP*, accepted

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Simulations

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LANL has feedback system for developing fluid codes and mix-models



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BHR is LANL's mix-model that has been implemented in RAGE (a fluid code)

| Active scalars Treatment of flow | Flow only (evolves $\langle u_i' u_j' \rangle$) | Algebraic closure for density effects | Evolution equation for $\langle u_i' \rho' \rangle$ (k-L-a) | Evolution equation for $\langle \rho' \rho' \rangle / \langle \rho' \rho^{-1} \rangle$ (k-L-a-b) |
|--|--|--|--|--|
| One evolution equation (k) | Prandtl, 'Bericht über Untersuchungen zur ausgebildeten Turbulenz,' <i>Z. Angew. Math. Mech</i> (1925) | Andronov et al., 'Turbulent mixing at a contact surface accelerated by a shock wave,' <i>Zh. Eksp. Teor. Fiz.</i> (1976) | | |
| Energy + scale (Two-equation $k-\varepsilon/L/s/\omega$) | Harlow & Nakayama, 'Turbulence Transport Equations,' <i>PoF</i> (1967) Jones & Launder, 'Prediction of laminarization with a two-equation model of turbulence' <i>Int. J. H. M. Trans.</i> (1972) | Gauthier & Bonnet, 'A k- ε model for turbulent mixing in shock tube flows induced by RT,' <i>PoF</i> (1990) Dimonte & Tipton 'K-L model for self-similar growth of RT & RM' <i>PoF</i> (2006) | Morgan & Wickett 'Three-equation model for the self-similar growth of RT and RM instabilities' <i>PRE</i> (2015) Banerjee, Gore, Andrews, <i>PRE</i> (2010) | Ruffin et al., 'Characteristic scales in variable-density jets using a second-order model' <i>PoF</i> (1993) |
| Anisotropic effects, Reynolds stress tensor ($R_{ij}-\varepsilon$) Transient effects, two-scales ($R_{ij}-\varepsilon_1-\varepsilon_2$) | Rotta, 'Statistische Theorie nichthomogener Turbulenz,' <i>Z. Phys.</i> (1951) LRR, 'Development of a Reynolds-stress turbulence closure,' <i>JFM</i> (1975) | | | Schwarzkopf et al. <i>JoT</i> (2011), <i>Flow Turb. Comb</i> (2016) Grégoire, Souffland, Gauthier, 'A second-order turbulence model for gaseous mixtures' <i>JoT</i> (2005) |

Brief history of the BHR mix model

| Treatment of flow \ Active scalars | Flow only (evolves $\langle u_i' u_j' \rangle$) | Algebraic closure for density effects | Evolution equation for $\langle u_i' \rho' \rangle$ (k-L-a) | Evolution equation for $\langle \rho' \rho' \rangle / \langle \rho' \rho^{-1} \rangle$ (k-L-a-b) |
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| | Jones & Launder, 'Prediction of laminarization with a two-equation model of turbulence' <i>Int. J. H. M. Trans.</i> (1972) | Dimonte & Tipton 'K-L model for self-similar growth of RT & RM' <i>PoF</i> (2006) | Banerjee, Gore, Andrews, <i>PRE</i> (2010) | |
| Anisotropic effects, Reynolds stress tensor ($R_{ij}-\varepsilon$) Transient effects, two-scales ($R_{ij}-\varepsilon_1-\varepsilon_2$) | Rotta, 'Statistische Theorie nichthomogener Turbulenz,' <i>Z. Phys.</i> (1951) | Besnard, Harlow, Rauenzahn "Conservation and transport properties of turbulence with large density variations" LA-10911-MS | | Schwarzkopf et al. <i>JoT</i> (2011), <i>Flow Turb. Comb</i> (2016) |
| | LRR, 'Development of a Reynolds-stress turbulence closure,' <i>JFM</i> (1975) | | | Grégoire, Harlow, Gauthier, 'A second-order turbulence model for gaseous mixtures' <i>JoT</i> (2016) |

"BHR-1"

"BHR-2"

"BHR-3"

BHR (theory)
1982

BHR[3.1] with full Reynold Stress Tensors

Turbulent
kinetic
energy

$$\begin{aligned} \frac{\partial (\bar{\rho} \tilde{R}_{ij})}{\partial t} + (\bar{\rho} \tilde{u}_k \tilde{R}_{ij})_{,k} = & \underbrace{[a_i \bar{P}_{,j} + a_j \bar{P}_{,i}] - \bar{\rho} [\tilde{R}_{ik} \tilde{u}_{j,k} + \tilde{R}_{jk} \tilde{u}_{i,k}]}_{\text{Production}} \\ & + \underbrace{C_r \left(\frac{L}{\sqrt{K}} \bar{\rho} \tilde{R}_{kn} \tilde{R}_{ij,n} \right)_{,k}}_{\text{Diffusion}} - \underbrace{C_{r3} \bar{\rho} \frac{\sqrt{K}}{L} \left(\tilde{R}_{ij} - \frac{1}{3} \tilde{R}_{kk} \delta_{ij} \right)}_{\text{Return to isotropy}} \\ & - \underbrace{C_{r1} [a_i \bar{P}_{,j} + a_j \bar{P}_{,i}] + C_{r2} \bar{\rho} [\tilde{R}_{ik} \tilde{u}_{j,k} + \tilde{R}_{jk} \tilde{u}_{i,k}]}_{\text{Rapid Distortion}} \\ & - \underbrace{C_{r2} \frac{2}{3} \bar{\rho} \tilde{R}_{mk} \tilde{u}_{m,k} \delta_{ij} + C_{r1} \frac{2}{3} a_k \bar{P}_{,k} \delta_{ij}}_{\text{Rapid Distortion}} - \underbrace{\bar{\rho} \frac{2}{3} \frac{K^{3/2}}{L} \delta_{ij}}_{\text{Dissipation}} \end{aligned}$$

Turbulence
scale

$$\begin{aligned} \frac{\partial (\bar{\rho} L)}{\partial t} + (\bar{\rho} \tilde{u}_j L)_{,j} = & \underbrace{-\frac{L}{K} \left(\frac{3}{2} - C_1 \right) \bar{\rho} \tilde{R}_{ij} \tilde{u}_{i,j} + \frac{L}{K} \left(\frac{3}{2} - C_3 \right) a_j \bar{P}_{,j} - \left(\frac{3}{2} - C_2 \right) \bar{\rho} \sqrt{K}}_{\text{Net Production}} \\ & + \underbrace{C_s \left(\frac{L}{\sqrt{K}} \bar{\rho} \tilde{R}_{kn} L_{,n} \right)_{,k}}_{\text{Diffusion}} \end{aligned}$$

Mass flux

$$\begin{aligned} \frac{\partial (\bar{\rho} a_i)}{\partial t} + (\bar{\rho} \tilde{u}_k a_i)_{,k} = & \underbrace{b \bar{P}_{,i} - \tilde{R}_{ik} \bar{\rho}_{,k} - \bar{\rho} a_k \tilde{u}_{i,k}}_{\text{Net Production}} + \underbrace{\bar{\rho} (a_k a_i)_{,k}}_{\text{Redistribution}} + \underbrace{\bar{\rho} C_a \left(\frac{L}{\sqrt{K}} \tilde{R}_{kn} a_{i,n} \right)_{,k}}_{\text{Diffusion}} - \underbrace{C_{a1} \bar{\rho} \frac{\sqrt{K}}{L} a_i}_{\text{Destruction}} \end{aligned}$$

Mixedness

$$\begin{aligned} \frac{\partial (\bar{\rho} b)}{\partial t} + (\bar{\rho} b \tilde{u}_k)_{,k} = & \underbrace{-2(b+1) a_k \bar{\rho}_{,k}}_{\text{Production}} + \underbrace{2 \bar{\rho} a_k b_{,k}}_{\text{Redistribution}} + \underbrace{\bar{\rho}^2 C_b \left(\frac{L}{\bar{\rho} \sqrt{K}} \tilde{R}_{mn} b_{,n} \right)_{,m}}_{\text{Diffusion}} - \underbrace{C_{b1} \bar{\rho} \frac{\sqrt{K}}{L} b}_{\text{Destruction}} \end{aligned} \quad (12.11)$$

- There are three main control knobs for growth in BHR-3
 - s_0 = initial turbulent scale length
 - k_0 = initial turbulent kinetic energy
 - Turn on time of BHR

Ye Zhou, Rev. Mod Phys.

Schwarzkopf et al. *JoT* (2011), *Flow Turb. Comb* (2016)

The next step is called the modal model
and will decide when to initialize turbulence

Summary: LANL has a variety of experiments investigating traditional fluids instabilities in an HED regime



- HED experiments are critical for understanding the physics of astrophysical phenomena, as well as ICF
- HED experiments are also important for code development and eventual validation
- There are more experiments upcoming that are investigating potentially missing physics such as magnetic fields

These experiments are just a few of those active in the P-24 group at LANL